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## Experimental Evidence on the Relationship between Tax Evasion Opportunities and Labor Supply

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# Experimental Evidence on the Relationship between Tax Evasion Opportunities and Labor Supply\*

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## Abstract

We examine the extent to which labor supply elasticities with respect to tax rates depend on access to evasion opportunities. It is observed that some types of workers have the opportunity to hide their income while others do not have such opportunities, e.g. due to being subject to third-party-reporting. We first set up a theoretical model to formally show that labor supply responses depend on access to evasion. The model is then tested in a lab experiment in which all participants undertake a real-effort task over several rounds. Subjects face a tax rate, which varies across rounds and are required to pay taxes on earned income. The treatment group is given the opportunity to underreport income while the control group is not. We find zero labor effort responses to tax rates in the control group and positive statistically significant adjustments in the treatment group; suggesting that both groups indeed react differently to taxes.

**JEL Classification:** H2, J2

**Keywords:** Tax Evasion, Labor Supply, Taxable Income, Lab Experiment, Taxes

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# 1 Introduction

Labor supply elasticities observed in empirical analyses are usually smaller than responses along other margins (Slemrod 1994) and are often heterogeneously distributed across different types of individuals and workers.<sup>1</sup> While there are several reasons why this is the case, this paper explores one possible explanation: access to tax evasion opportunities. It is well known that access to evasion opportunities varies across workers thus making it easier for some workers to hide income relative to other workers. For example, whereas many wage earners are subject to third party reporting rendering tax evasion almost impossible, the self employed and workers in industries that rely on cash payments have considerable access to evasion. The objective of the present paper is to test whether these differences in evasion opportunities affect the responsiveness of labor supply to changes in tax rates.

A labor supply model with evasion developed by Pencavel (1979) is used to derive theoretical predictions and to identify the channels that might explain the impact of evasion on labor supply elasticities. The theoretical results suggest that the responsiveness of labor supply varies with the opportunity to evade because workers with evasion opportunities are able to exploit two inter-related margins to adjust their taxable income in response to taxes (labor supply and/or evasion). However, opposing income and substitution effects prevent us from obtaining any clear predictions about the relative magnitude of the effect of access to evasion on the labor supply response. In other words, individuals with an evasion opportunity may have either more or less elastic labor supply responses to tax rate changes, relative to individuals without an opportunity to evade.

We use an empirical approach to answer the research question because of the ambiguous theoretical effect. This is achieved by combining well-established laboratory experimental designs from the evasion and labor literatures. Subjects first complete a real-effort labor task, as in Gill and Prowse (2011), and then make a tax payment.<sup>2</sup> Subjects are randomly assigned to treatment and control groups that are identical in every respect except for access to evasion; while subjects in the treatment group are able to evade taxes by underreporting their earned income,

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<sup>1</sup>For example, there is evidence that labor supply elasticities vary by gender, with relatively larger estimates for females (Keane 2011), tend to decrease in income (Roed and Strom 2002; Aaberge and Colombino 2006) and vary by marital status (Bargain et al. 2012).

<sup>2</sup>Modeling labor effort instead of labor supply is common in the laboratory experimental literature on labor supply and is usually done because of the difficulty in modeling labor supply as measured by hours of work; e.g., see Dickinson (1999), Falk and Fehr (2003) and Charness and Kuhn (2011) for references and discussion. This issue is discussed further in sections 2.3 and 5.3.

subjects in the control group cannot. As is common in the experimental tax evasion literature, subjects in the treatment group face an exogenous audit probability and penalty if they are detected (Fortin et al. 2007; Alm et al. 2009). This experimental design allows us to determine if the responsiveness of effort supply with respect to tax rates vary between the two groups. Since access to evasion is the only difference between the two groups, any differences in the observed elasticities can be attributed to the difference in evasion opportunity.

Reliance on experimental methods to answer our research question is motivated by the near impossibility of answering this question with observational data. Tax evasion opportunities are hardly observable<sup>3</sup> and the standard labor supply elasticities are usually difficult to estimate. Additionally, even if we had good information on evasion opportunities and labor supply responses, clean identification would require us to solve i) reverse causality between tax rates and labor supply and ii) self-selection into jobs with greater access to evasion. The advantage of using an experimental approach is that we are able to randomly assign subjects to treatment states and control the variables of interest, which allows us to cleanly identify the effect of evasion opportunities on labor responses to taxation. Using economic laboratory experimental techniques to analyze supply of effort and tax evasion is not new; see Charness and Kuhn (2011) for a comprehensive survey of the labor effort literature and Graetz et al. (1986), Alm et al. (1992), Fortin et al. (2007), and Alm et al. (2009) for tax evasion examples.<sup>4</sup>

Our experimental results confirm the theoretical prediction that labor responses to tax rates vary with evasion opportunities. While we observe positive and statistically significant effort supply responses to tax rates in the treatment group, there is no evidence that subjects in the control group adjust their effort supply in response to varying tax rates.

We are among the first to empirically examine the labor supply implications of the observed evidence that tax evasion opportunities are heterogeneously distributed across workers. Whereas studies based on the seminal theory in Allingham and Sandmo (1972) assume that all taxpayers operate in an environment where underreporting is available, more recent studies contradict this view. For example, Slemrod (2007) and Kleven et al. (2011) find evidence of almost no evasion among individuals subject to third-party reporting but substantial evasion among

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<sup>3</sup>Slemrod and Weber (2012) survey the empirical tax evasion literature and conclude that credible causal evidence is usually not obtained in observational studies. Experiments are one possibility to approach tax evasion issues in a causal manner.

<sup>4</sup>However, in contrast to our work, most experimental contributions in this field look at the amount of evasion as the outcome of interest. Andreoni et al. (1998) and Torgler (2002) provide surveys on tax compliance in experiments.

the self-employed.<sup>5</sup>

Additionally, we add to the elasticity of taxable income (ETI) literature and its role in the welfare analysis of tax reforms (Feldstein 1995; Saez et al. 2012) in that we show an additional margin along which ETI varies. In particular, we show that the estimated ETI is zero in the control group and 0.69 in the treatment group, which supports the view that tax reforms have heterogeneous effects on individuals and has implications for the structure of optimal tax rates. We interpret this differential effect as evidence that the responsiveness of the tax base is a function of the tax administration environment and recommend that policy makers eliminate all evasion opportunities and other avoidance loopholes. This policy is advantageous in that it reduces the responsiveness of the tax base and thus reduces the efficiency cost of tax reforms.

Our paper is related to the literature at the intersection of labor supply and tax evasion. As opposed to theoretical (Sandmo 1981; Cowell 1985) and empirical (Lemieux et al. 1994; Frederiksen et al. 2005) contributions which compare formal and informal labor markets, we compare formal labor markets that have two distinct levels of access to evasion. This allows us to estimate the marginal effect of a change in tax rate on labor supply controlling for the interaction between evasion and labor supply. In this respect, our paper is more in line with the theoretical contributions of Pencavel (1979) and Slemrod (2001) who extend the standard labor supply model with taxes to account for tax evasion and avoidance, respectively. Both papers provide theoretical evidence that the ability to reduce one's tax liability through legal or illegal means lowers the effective tax rate and therefore affects labor supply decisions.

However, the paper most closely related to ours is Collins et al. (1992) who use a laboratory experimental approach to measure the effect of access to evasion opportunities on the change in labor effort when individuals move from a system with no tax to a system with either a proportional, "mildly progressive", or "steeply progressive" tax system. In other words, their experiment focuses on the progressivity of the tax structure. Their results indicate that the opportunity to evade has a positive effect on labor effort when taxes are proportional or steeply progressive and a negative effect when taxes are mildly progressive. However, it is difficult to tell what the subjects are responding to when the tax regimes in Collins et al. (1992) are implemented; are they responding to the fact that they must now pay taxes, the

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<sup>5</sup>Other studies show that bunching around kinks in the tax schedule is mostly prevalent among the self-employed, allowing the interpretation that other types of workers simply do not have an opportunity to adjust their taxable income in order to bunch due to lack of evasion opportunities (Saez 2010; Bastani and Selin 2011; Chetty et al. 2012).

progressivity of the schedule, the multiple brackets and rates, or the top rate? As a result, the differential effect in effort observed across compliance groups cannot be interpreted as the causal effect of a change in tax rates. Unlike Collins et al. (1992), we use a flat tax rate that varies across rounds in all sessions. We are therefore the first to directly and cleanly measure the effect of a change in the tax rate on labor effort and to identify how this change varies with access to evasion.

The remainder of the paper is as follows. Section 2 describes the experimental design and set-up. We derive theoretical predictions in Section 3, and present the empirical strategy and results in Section 4. We discuss the empirical findings, ETI implications and issues of external validity in section 5 and conclude the paper in Section 6.

## 2 Experimental Design

We design an experiment where subjects earn income by completing a labor task and then pay taxes on their income. In order to test our hypothesis, one group of subjects is given the opportunity to underreport their income while the other is not. We refer to the group that is given the opportunity to evade as the treatment group, the group that has no evasion opportunity is called the control group. A detailed description of the experimental design is provided below.

### 2.1 Organization

The experiment was conducted in the Cologne Laboratory for Economic Research (CLER), University of Cologne, Germany. All subjects in the laboratory’s huge subject pool of approximately 4000 persons were invited via email—using the recruitment software *ORSEE* (Greiner 2004)—to participate in the experiment. Potential participants could sign up on a first-come-first-serve basis. A total of 90 subjects, mostly undergraduate students from the University of Cologne, participated in our experiment. Neither the content of the experiment nor the expected payoff were stated in the invitation email. The computerized experiment was programmed utilizing *z-tree* software (Fischbacher 2007).

We conducted six sessions—three treatment and three control—over three regular school days in June 2012.<sup>6</sup> The sessions were conducted at 11:00 AM and 3:00 PM each day using the following rotation: Day 1: control then treatment; Day 2:

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<sup>6</sup>There are two regular semesters at the tertiary level in Germany; winter semester lasting from October to March and Summer Semester between April and July. Therefore, the experiment was implemented during lecture season and more than 4 weeks before the final exam period.

treatment then control; Day 3: control then treatment. Each session included one practice round, 10 paying rounds, 15 subjects, and lasted approximately 70 minutes on average (including review of instructions and payment of participants). Random assignment to computer booths was implemented by asking each subject to draw an ID number out of a box upon entering the lab. The decisions and payments of the subjects were linked to their ID and the experimenter had no way of matching this information to their names. Subjects also received a hard copy of the instructions when they entered the lab (See appendix D) and were allowed as much time as they needed to familiarize themselves with the procedure of the experiment. They were then given the opportunity to ask any clarifying questions.

## 2.2 Overview of a single Round

At the beginning of each round, participants in both the treatment and the control group were told the tax rate for that round. The tax rate was the same in both groups for a given round. In other words, the treatment status varied *between* subjects, whereas the tax rate varied *within* subjects. The tax rate was set at 15% in the practice round as well as in the first three paying rounds, 35% in rounds 4 to 6, 50% in rounds 7 to 9, and 15% in the last round. In the instructions, participants were told that the “tax rate may, but does not have to, vary from round to round”. Therefore, they did not know the tax rate for a given round until the beginning of that round. This option was chosen because we did not want subjects’ labor effort decision in round  $t$  to be influenced by the tax rate in round  $t + 1$ .

In the *treatment group*, each round had two stages; a labor task and a reporting decision. In the *labor task* stage, subjects undertook a real-effort task and earned money depending on their performance on the task. Their gross-income in each round consisted of their labor income plus a fixed amount of non-labor income. In the *reporting decision* stage, subjects in the treatment group had to report an income amount between zero and their true earned gross income; the reported amount was taxed at the tax rate for that round. These individuals faced an exogenous audit probability of ten percent and paid a fine, which is equal to twice evaded taxes if audited. The audit probability and fine rate were fixed across rounds and participants were given this information at the beginning of the experiment.

Participants in the *control group* undertook the same labor task as the treatment group, but were not given a reporting decision. That is, they first performed the labor task and earned money based on their performance. Their gross income, earned money from the labor task plus the fixed amount of non-labor income, was then automatically taxed at the tax rate for that round. The tax payment was

withdrawn and subjects were informed of their net income for the round. The two stages are explained in more detail in the following two sections.

## 2.3 The Labor Task Stage

The labor task, which was completed by both groups in the first stage of each round, was designed by Gill and Prowse (2012) and involves moving a set of sliders across a computer screen (see figure 2 in the appendix for a screenshot of the task).<sup>7</sup> The sliders were initially positioned at zero and could be repositioned to any integer between 0 and 100, inclusive. Subjects received feedback on the current position of the slider only, which was indicated at the rightmost end of each slider. The arrow keys on the key board were disabled to ensure the subjects only used the left mouse key to complete the task; use of the arrow keys makes the task trivial. For each round, subjects were given 2 minutes to align 48 sliders at position 50. As in Gill and Prowse (2012), “the 48 sliders are arranged on the screen so that no two sliders are aligned exactly one under the other.” This prevented subjects from positioning one slider at 50 and then visually matching the other sliders at this position. The number of correctly aligned sliders was taken as a measure of labor effort.

The slider task has a number of advantages which are described in Gill and Prowse (2012). It is easy to explain and implement, does not require prior knowledge, does not allow guessing, and is identical across rounds, treatments, and subjects. Most importantly, the slider task generates a lot of variation and it is virtually impossible to move all sliders correctly within the time frame of two minutes. As a result, performance on the task can be interpreted as labor effort. It is important to note that we do not measure hours worked nor do we give subjects the opportunity to substitute “off-the-job” leisure (e.g., taking a day off to go the beach) for effort. This is similar to labor markets in the “real world” that require individuals to work a fixed number of hours each day. Individuals working under these types of contracts often respond to market incentives by changing jobs or by changing their effort on the job. For example, Dickinson (1999) notes that workers can substitute effort for on-the-job leisure such as relaxing in their chair without working. Therefore, our experiment provides participants the opportunity to enjoy on-the-job leisure. We acknowledge that our measure of labor effort cannot be generalized to more traditional measures of labor supply such as hours of work without caution. However,

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<sup>7</sup>Gill and Prowse (2011) provide details and show how to implement the slider task. It has been used widely since its introduction: Gill and Prowse (2010), Riener and Wiederhold (2011), Cettolin and Riedl (2011), Gill and Prowse (2012), Gill et al. (2012), and Hammermann et al. (2012). Djawadi and Fahr (2012) also use the slider task in the context of tax compliance, but examine a different research question than we do and employ compliance as the dependent variable.

the choices between labor effort and hours of work share many characteristics and are isomorphic in many ways so that our measure of labor effort can serve as a good proxy for labor supply (Charness and Kuhn 2011).

## 2.4 The Reporting Decision Stage

Subjects in the treatment group were informed of their gross income, and were asked to make an income reporting decision for tax purposes in the second stage of the experiment. The language used in the instructions and on the computer screen explicitly stated that reported income will be taxed and the instructions also disclosed that all tax revenues will be donated to the German Red Cross. Donating tax revenues to the Red Cross may be viewed as public good, which has been shown to have a positive effect on willingness to pay taxes.<sup>8</sup>

Reported income could be any amount between 0 and true gross income. After the reporting decision was complete, student helpers walked up to each computer booth with a 10 sided die, which each subject threw. The student helper then entered the number thrown on the die in the computer, which then determined the audit status and calculated the subject's tax liability, penalty, if any, and net income. Subjects who underreported income and threw a one were audited and had to pay a fine equal to twice their evaded taxes (i.e., underreported amount multiplied by twice the tax rate). This implies an audit probability of 10 percent, which, together with the fine rate, is a commonly used penalty structure in the tax evasion literature; e.g., see Alm et al. 2009). All other subjects who either reported honestly or underreported but threw a die number between two and ten received a net income equal to true gross income less the tax rate multiplied by the reported gross income. Of course, the student helper could not see if a subject underreported income because the student helper stepped away before the screen summarizing the round's payment appeared.<sup>9</sup>

Unlike the treatment group, subjects in the control group did not have the opportunity to underreport their income and thus could not evade taxes. In other words, their tax liability was "withheld at source". A corollary in the "real" world would be individuals whose only source of income is labor earnings that are subject to third party reporting and withholding and who receive pre-populated tax forms.

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<sup>8</sup>See footnote 22 and our conclusion for a discussion and references. We donated 237.91 EURO to the German Red Cross after all six sessions were completed.

<sup>9</sup>The procedure was as follows: The student helper entered the number showing on the face of the die; the subject confirmed this number by hitting "ENTER", which results in a pop-up screen with one of the following sentences: *You have been audited* or *You have not been audited*. Afterwards the subject had to press "ENTER" again to see the screen summarizing the round's payment. By this time the student helper would have moved on to the next subject.

For example, taxpayers in Germany must enter a tax identification number into their tax forms when filing taxes at the end of the tax year. The tax form is then populated with income information that have been subjected to third party withholding, such as labor income. Therefore, there is no opportunity to underreport income if the only source of income is labor income subject to third party reporting.<sup>10</sup>

Since we are only interested in the extent to which the responsiveness of labor effort varies with evasion status, both groups faced an identical proportional tax rate that varied by round. Subjects were informed of the parameters of the tax system at the beginning of each round. Again, the only difference between treatment and control group was the ability to evade and the only difference between rounds was the tax rate. The empirical analysis in section 4 exploits this between subject variation in treatment.

## 2.5 Payment

Subjects in both groups earned experimental currency units (ECU) throughout the experiment. Their *gross income* in each round had two parts; earned labor income and non-labor income. The non-labor income was set at five ECU per round and remained constant across subjects and sessions. The labor income was based on performance on the slider task and subjects were paid six ECU for every correctly aligned slider. The *net income* in each round was a function of gross income, the tax rate, and, in the treatment group, the reporting decision and audit outcome.

After all rounds of a session were completed, each subject threw a 10 sided die to determine which of the 10 rounds she would receive payment for. Paying subjects their net income for a single randomly chosen round instead of the sum of net incomes across all rounds is advantageous because it allows us to avoid wealth effects, satiation, and irrational decisions that generally occur once a certain expected payoff is achieved (see e.g. Blumkin et al. 2012 for a recent example which handles payment in a similar manner). Additionally, this payment method, along with the fact that subjects were not informed about the prevailing tax rate until the start of

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<sup>10</sup>We acknowledge that taxpayers in Germany and most other countries who do file still have the opportunity to evade taxes by overstating their deductions. However, this is not an option in our experiment. Even if taxpayers have the opportunity to enter their income on the tax form as is customary in the United States, it would make little sense to underreport income that has been subject to third party reporting since the tax authority has independent information on the correct labor earnings. In other words, the probability of detection is 100 percent for these individuals, which means that underreporting income for tax purposes will lead to lower net income than if gross income were reported accurately. Workers facing these conditions almost always report their true gross income. For example, Slemrod (2007) shows that income subject to third party reporting in the United States has a compliance rate of over 90 percent. We chose to design the experiment similar to the institutional setting of Germany since this is where the experiment was implemented.

a round, avoids adding an intertemporal component to our experiment. Therefore, the experiment matches our static theoretical framework and the elasticities we derive ought to be interpreted as static Marshallian ones, as opposed to intertemporal labor substitution elasticities. The total ECU for the selected round was converted to EUROS using an exchange rate of 1 ECU to 0.1 EURO. A show-up fee of 2.5 EURO was added to the subject's net income to determine the final payment. Final payment ranged from 2.50 EURO to 25.2 EURO with an average of 10.66 EURO in the control group and 12.80 EURO in the treatment group. Subjects' final payment was prepared by one of the experimenters who was locked in a private room for the duration of the experiment and who had no contact with the subjects. Payment was enclosed in an envelope with each subjects' ID written on the outside.

### 3 Theoretical Framework

This section of the paper outlines a simple theoretical framework that captures the main features of the labor supply and evasion decision that individuals face in the treatment group as defined in section 2. The model merges the standard neo-classical labor supply model with the Allingham and Sandmo (1972) model of tax evasion (Pencavel 1979). We acknowledge that the theoretical framework used here models labor supply as hours of work rather than effort, which is the basis of our experimental design. However, this model adequately highlights the behavioral margins of interest with fewer mathematical complexities.

Because the model describing the control group is the standard labor supply model, we simply state the results of this model where appropriate without any derivations.

#### 3.1 Model

Individuals make a labor supply decision  $L$ , which yields labor income  $wL$  and non-labor income  $M$ ;  $w$  is the wage rate. They then report  $R \leq (wL + M)$  to the tax authority to determine their tax liability. Reported income  $R$  is audited with probability  $p$  and, because we assume all audits lead to the full discovery of true income, a fine equal to twice the evaded taxes must be paid if audited. Assuming individuals consume all of their income implies:

$$Consumption = \begin{cases} C_a & = (wL + M) - \tau R - 2\tau(wL + M - R) \\ & = (wL + M)(1 - 2\tau) + \tau R \text{ with probability } p \\ C_n & = wL + M - \tau R \text{ with probability } (1-p), \end{cases} \quad (1)$$

where subscripts  $a$  and  $n$  indicate audited and not audited, respectively, and  $\tau$  is the proportional tax rate.

As in Pencavel (1979), we assume individuals choose  $L$  and  $R$  to maximize an expected utility function that satisfies the standard assumptions of the neo-classical labor supply model; continuous, twice differentiable, and concave. We also assume the utility function is strongly separable in consumption and labor (Pencavel 1979). With these assumptions in mind, the individual maximization problem is specified as follows

$$\begin{aligned} \max EU &= pU(C_a, L) + (1 - p)U(C_n, L) \\ \text{st.} & \\ C_a &= (wL + M)(1 - 2\tau) + \tau R \\ C_n &= wL + M - \tau R, \end{aligned} \quad (2)$$

Differentiating equation (2) with respect to  $R$  and  $L$ , respectively, yields the following first order conditions:

$$\begin{aligned} pU'_{C_a} t - (1 - p)U'_{C_n} \tau &= 0 \\ pU'_{C_a} w(1 - 2\tau) + pU'_L + (1 - p)U'_{C_n} w + (1 - p)U'_L &= 0, \end{aligned} \quad (3)$$

which we rewrite as

$$pU'_{C_a} = (1 - p)U'_{C_n} \quad (4)$$

$$w = -\frac{U'_L}{p(1 - 2\tau)U'_{C_a} + (1 - p)U'_{C_n}} \quad (5)$$

Assuming interior solutions exist, it can be shown from equation (4) that utility is maximized by the level of reported income that equalizes the weighted marginal utility of consumption in both states of the world. Similarly, equation (5) implies individuals chose the level of labor supply that equalizes the wage rate to the ratio of the marginal utility of labor and the expected marginal utility of consumption. This is comparable to the equilibrium condition facing our non-evader treatment in the standard neoclassical labor supply model with taxes and no tax evasion;  $w = -\frac{U'_L}{(1-\tau)U'_C}$ .

## 3.2 Comparative Statics

Since we are particularly interested in the effect of taxes on labor supply and how this response varies between the treatment and control group, we derive a ‘‘Slutsky’’

type equation for the effect of taxes on labor supply. This result, which is for the treatment group, is then compared with the corresponding result for the control group taken from the standard labor supply model. Totally differentiating equation (3) and simplifying yields the following result:

$$\begin{aligned} \frac{dL}{d\tau} = & \overbrace{2p^2w\tau U'_{C_a} [(1-2\tau)U''_{C_a}(wL+M) + U''_{C_n}]}^1 - \overbrace{p^2w\tau U''_{C_a} U'_{C_a} (2(1-2\tau) - \frac{q U''_{C_n}}{p U''_{C_a}}) R}^2 \\ & \overbrace{-2pw\tau [(1-2\tau)(U''_{C_a})^2(wL+M) + (1-p)U''_{C_n} U''_{C_a}]}^3 - \overbrace{pw\tau \frac{(U''_{C_a})^2}{U''_{C_n} U''_{C_a}} \frac{dR}{dM}}^4 R \\ & \underbrace{\frac{dL}{dM} \frac{(wL+M)}{(1-\tau)}}_5 \leq 0, \end{aligned} \quad (6)$$

where  $\frac{dL}{dM} \leq 0$  and  $\frac{dR}{dM} \leq 0$  are income effects on labor supply and reported income, respectively (see the appendix for derivations). Equation (6) is a Slutsky type equation, which shows that 1) the substitution effect has two components that may move labor supply in either the same or different directions and 2) there are two income effects, one of which has an ambiguous sign. While the first component of the substitution effect (the first term in equation (6)) is always negative when  $\tau \leq 0.5$ , the second component, which is related to reported income, can either be positive or negative. Assuming decreasing relative risk aversion, this term is positive if  $\tau \leq 0.25$  and negative otherwise.<sup>11</sup> The third term is negative and thus reinforces the first component of the substitution effect. The fourth component of equation (6) reflects income effect related to reported income and is negative if  $\frac{dR}{dM} \geq 0$ .<sup>12</sup> In other words, an increase in the tax rate decreases reported income via an income effect, which increases net income, which then causes individuals to work less. Finally, an increase in the tax rate makes individuals poorer, which then increases labor supply via the conventional income effect; see the fifth term in equation (6).<sup>13</sup>

<sup>11</sup>From the first order condition;  $\frac{q U''_{C_n}}{p U''_{C_a}} = \frac{U'_{C_a} U''_{C_n}}{U'_{C_n} U''_{C_a}} = \frac{R_{cc}^a}{R_{cc}^n}$ , which is greater than one if we assume decreasing absolute risk aversion;  $R_{ci}^a$  is the absolute risk aversion in state  $i$ . We can show that the second component of the substitution effect is positive if  $\tau \leq 0.25$  and negative otherwise if we substitute  $\frac{R_{cn}^a}{R_{cc}^a}$  into the second term in equation (6).

<sup>12</sup>A necessary condition for this term to be positive is decreasing absolute risk aversion.

<sup>13</sup>Note that the first four terms in equation (6) can be reduced to three terms; a substitution effect that is negative for  $\tau < 0.5$  and two terms that capture income effects; while the first of these two terms is positive, the second is unambiguously negative (see equation (15) in the appendix). However, this change does not affect the ambiguity of (6).

Therefore, an increase in the tax rate has an ambiguous effect on labor supply; the sign of equation (6) depends on the relative size of the income and substitution effects. This is similar to the ambiguous effect found in the standard labor supply model that produces the following Slutsky equation

$$\frac{dL}{dt} = \frac{wU'_c}{\Delta} - \frac{(wL + M)}{(1 - \tau)} \frac{dL}{dM} \leq 0, \quad (7)$$

where  $\frac{dL}{dM} = -\frac{w(1-\tau)^2 U''_c}{\Delta} \leq 0$ , and  $\Delta = w^2(1 - \tau)^2 U''_c + U''_{LL} \leq 0$ . These results are derived under the same assumptions as equation (6) except for the evasion opportunity. In other words, similar to our control group, individuals in this model do not make a reporting decision and therefore have no opportunity to hide income.

**Prediction** More importantly, a visual inspection of equation (6) reveals that the effect of taxes on labor supply depends on evasion opportunities. Of course, only the conventional income and substitution effects are observed in equation (7). Therefore, we expect that taxation has a differential effect on labor supply across treatment and control groups in our experiment. However, it is not immediately clear whether the existence of evasion opportunities leads to a larger or smaller labor supply response given the ambiguity of the sign of equations (6) and (7).<sup>14</sup> In other words, it is possible that the existence of evasion opportunities increases or decreases the responsiveness of labor supply to tax rate changes. This ambiguity makes sense since workers with evasion opportunities have two interrelated means of changing their taxable income in response to a change in the tax rate; work less and/or report less income. The fact that these workers can change one or both margins makes it difficult to determine the relative magnitudes apriori. We are therefore forced to rely on an empirical analysis to answer our research question.

## 4 Empirical Strategy and Results

In this section, we empirically test whether labor supply responses indeed depend on access to evasion opportunities. We also aim to empirically determine the magnitude of the effects in both treatment groups since there is no clear apriori prediction from the theoretical model.

Participants in our experiment are randomly assigned to either the treatment

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<sup>14</sup>An alternative approach is to find the limit of equation (6) as  $p$  approaches 1 and compare the resulting expression with (6). However, this approach assumes the taxpayer (in the control group) is able to chose the amount of income to report even when the probability of detection is 1; this is not the case in our experiment.

or control group and since the treatment status of a given participant is always the same we employ a between-subjects design to identify our coefficient of interest. Furthermore, because we are only interested in the labor effort changes with respect to varying tax rates, we average (collapse) the decisions of each individual by tax rate.<sup>15</sup> It follows that we compare average behavior across changes in the tax rate. Therefore, our data set has four observations per person; average behavior over rounds 1, 2, 3; over rounds 4, 5, 6; over rounds 7, 8, 9; and finally behavior in round 10. Analyzing the data in this way allows us to abstract from learning effects occurring within rounds for which there are no tax changes. It is also consistent with the notion that people adjust to the prevailing tax rate across periods (i.e., years) without tax changes, whereas policymakers are mostly interested in the effects of an actual change in the tax rate.

## 4.1 Summary Statistics and Comparisons of Means

Before estimating regression models, we present summary statistics and compare differences in relevant variables across the two groups. In experiments with random assignment to treatments, a statistically significant difference in the means of the variables of interest across the treatments is usually a valid indicator for the presence of (causal) treatment effects.

Table 1 presents summary statistics of demographic and attitudinal variables separately for both groups. After the experiment, we surveyed tax morale using a question very similar to the one in the World Values Survey (Minkov 2012).<sup>16</sup> We also derived a measure of risk aversion by asking subjects to choose between a certain pay-off of \$50 and a gamble that pays \$100 with probability of 0.5 and \$0 with probability of 0.5. Casual observation of the data shows that randomization into the treatment states worked well. This is confirmed by Wilcoxon rank-sum tests for differences in distributions between groups (Wilcoxon 1945; Mann and Whitney 1947);<sup>17</sup> we do not observe any statistically significant differences in demographic characteristics (gender, age, share of participants whose native language is German) and attitudinal variables (tax morale, risk aversion) across the treatment groups.

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<sup>15</sup>Recall that the tax rate is 15 percent in rounds 1 to 3, 35 percent in rounds 4 to 6, 50 percent in rounds 7 to 9, and 15 percent in round 10.

<sup>16</sup>“Please tell me for the following statement whether you think it can always be justified, never be justified, or something in between: ‘Cheating on taxes if you have the chance.’” This is the most frequently used question to measure tax morale in observational studies (e.g. Doerrenberg and Peichl 2011).

<sup>17</sup>A difference in distributions usually implies a difference in means. The Wilcoxon rank-sum test is basically the non-parametric equivalent to a t-test for differences in means. It is the most common test in experimental economics to test for differences between treatment states.

Among all participants, approximately 40% were male , 74% indicated German to be their native language, and the average age was 24.1 years. The standard deviation of age is quite high in the self-reporting treatment due to the fact that four persons in this treatment were older than 30, with one participant being 65; only one person in the control group was older than 30 (33 years old). As a robustness check, we exclude all participants older than 30 from our analysis and find that this has no effect on our findings. The average tax morale is 6.94 on a scale of one to ten with ten being the highest level of morale.

Table 1: Summary Statistics

Variable	Control		Treatment		$p >  z $	N
	Mean	Std. Dev.	Mean	Std. Dev.		
Male (share)	0.36	0.48	0.44	0.50	0.392	90
Age	23.33	2.98	24.78	7.43	0.783	90
German native	0.76	0.44	0.73	0.45	0.810	90
Tax Morale	6.96	2.72	6.93	2.48	0.797	90
Risk Aversion	1.36	0.74	1.27	0.65	0.568	90

Means and Standard Deviations of demographic and attitudinal variables by Treatment Status.  $p > |z|$  reports the p-value of a (non-parametric) Wilcoxon rank-sum test for differences in distributions (H0: no differences) between the two treatment groups (Wilcoxon 1945; Mann and Whitney 1947). N indicates the number of observations in both treatments ( $N/2$  per treatment).

In Table 2, we present summary statistics for two of the choice variables in our experiment: labor effort and evasion decision. Panel A shows that participants in the treatment group failed to report roughly 70% of their gross income on average. Regarding labor effort, summarized in Panel B of Table 2, we see that participants in both groups correctly adjusted 19.2 sliders during the two minutes in each round. We do not find any differences in the level of effort across the two groups: although the means slightly differ in levels, 19.49 among the treated and 19 within the control group, they are not significantly different from each other in a statistical sense (p-value Wilcoxon rank-sum test: 0.614). Looking at the effort decisions for each round separately, the pattern is similar: the number of correctly positioned sliders does not statistically differ across the two groups.

Table 2: Effort and Evasion

Variable	$P$	Control		Treatment		$p >  z $	N
		Mean	Std. Dev.	Mean	Std. Dev.		
<i>Panel A: Evasion</i>							
Evasion	all	/	/	0.71	0.34	/	45
Evasion	1	/	/	0.60	0.39	/	45
Evasion	2	/	/	0.74	0.35	/	45
Evasion	3	/	/	0.76	0.36	/	45
Evasion	4	/	/	0.72	0.38	/	45
<i>Panel B: Effort</i>							
Effort	all	19.0	4.39	19.49	4.94	0.614	90
Effort	1	17.06	4.10	17.73	4.64	0.526	90
Effort	2	18.62	4.45	19.59	5.08	0.283	90
Effort	3	19.50	5.05	20.48	5.49	0.467	90
Effort	4	20.82	5.22	20.18	5.47	0.656	90

Means and Standard Deviations by Treatment Status and Periods  $P$ . *Effort* is the number of correctly positioned sliders. *Evasion* is the share of gross income not reported.  $p > |z|$  reports the p-value of a (non-parametric) Wilcoxon rank-sum test for differences in distributions (H0: no differences) between the two treatment groups (Wilcoxon 1945; Mann and Whitney 1947). In *Panel A*,  $N$  indicates the number of observations in the treatment group. In *Panel B*,  $N$  is the number of observations in both treatment groups, i.e.,  $N/2$  per treatment.

Figure 1 presents the trend in effort over the four periods for each of the treatment states. It can be seen that there is an upward trend suggesting a learning effect (as also found in Gill and Prowse 2012). However, it also shows that the adjustment to changing tax rates might be different across the treatment states. In the control group, the trend remains positive even after period three, whereas in the treatment group participants on average decrease their labor effort after the third period.

As our research question is ultimately about different adjustments of labor effort in response to tax rates, we generate a variable for each person that measures the difference in labor effort between periods  $t$  and  $t-1$ . Table 3 first shows averages in means for the two groups over all rounds: in the control group, participants have a higher average effort adjustment (1.25) than in the treatment group (0.81). This difference is statistically significant at the 5% level with a p-value of 0.033 for the Wilcoxon rank-sum test and is supported by a simple random effects regression of effort adjustment on the treatment dummy using all panel observations (results available upon request). These results represent our first piece of empirical evidence

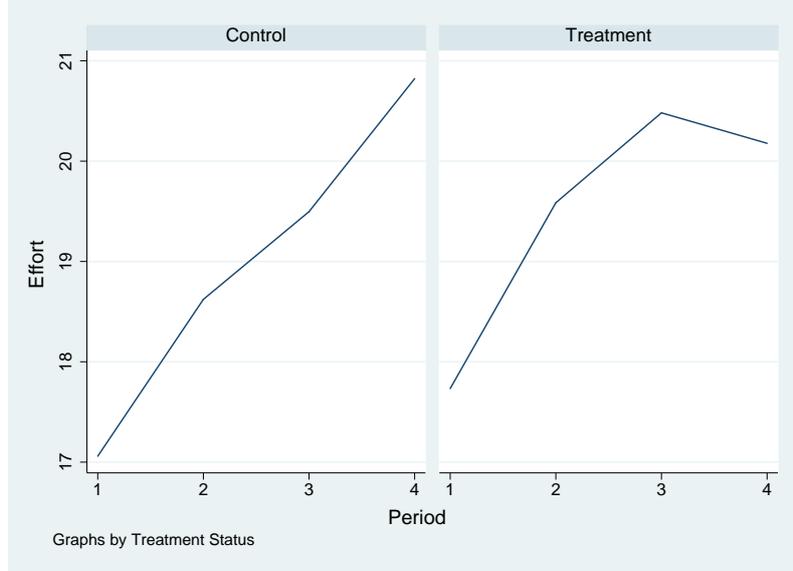


Figure 1: Effort by period and treatment status

that labor effort responses are indeed different across the two groups.

Next, we do period-by-period comparison of labor adjustments between the groups. The results, also presented in Table 3, suggest that the above presented differences seem to be mostly driven by the drop in the tax rate between the third and fourth period. Although the means of the variables are different across the treatment groups in levels in each round, they are only significantly different from each other in the last period (p-value Wilcoxon rank-sum test: 0.013). That is, the effort adjustments with response to the tax rate differ the most between the treatment states when the tax rate drops from 50% to 15% after the third period.

Table 3: Effort Adjustments

Variable	$P$	Control		Treatment		$p >  z $	N
		Mean	Std. Dev.	Mean	Std. Dev.		
Effort change	all	1.25	1.07	0.81	0.97	0.033	90
Effort change	1	/	/	/	/	/	/
Effort change	2	1.56	2.61	1.85	2.37	0.651	90
Effort change	3	0.87	2.12	0.90	2.12	0.958	90
Effort change	4	1.33	3.00	-0.30	2.42	0.013	90

Means and Standard Deviations by Treatment Status and Periods  $t$ . *Effort change* is the difference in correctly positioned sliders between period  $P$  and the previous period,  $t - 1$ .  $p > |z|$  reports the p-value of a (non-parametric) Wilcoxon rank-sum test for differences in distributions ( $H_0$ : no differences) between the two treatment groups (Wilcoxon 1945; Mann and Whitney 1947). N indicates the number of observations in both treatments ( $N/2$  per treatment).

## 4.2 Regression Analyses

### 4.2.1 Empirical Model

In a further effort to analyze our research question, we relate labor effort decisions to tax rate changes in regression analyses. We test for differences in the labor effort responses to tax rates across the treatment groups by estimating the following model:

$$L_{i,r,s} = \beta_0 + \beta_1\tau_r + \beta_2T_s + \delta\tau_rT_s + \epsilon_{i,r,s}, \quad (8)$$

where  $L_{i,r,s}$  indicates labor effort of individual  $i$  (with  $i = 1, \dots, 90$ ) in treatment state  $s$  (with  $s = 0, 1$ ) and round (period)  $r$  (with  $r = 1, 2, 3, 4$ ).  $\tau_r$  stands for the tax rate, and  $T_s$  is a dummy for the treatment state: either control (dummy is zero) or treatment (dummy is one) group.  $\epsilon_{i,r,s}$  is a standard error term. Our coefficient of interest is  $\delta$  which represents the difference in the effect of taxes on supply of effort across the two groups. More precisely,  $\delta$  indicates the effect of the tax rate in the treatment group compared to the control group. Besides looking at the variables in levels, we also run models in which we use the logged levels of labor effort  $L_{i,r,s}$  and the tax rate  $\tau_r$ . That is, we additionally identify the differences in labor effort elasticities with respect to the tax rate across the two treatment states.

One virtue of experiments is that participants are randomly assigned into the treatment states. As a result, equation 8 identifies the causal impact of interest without any need for further adjustments if we believe the randomization process. For example, identifying the effect of interest,  $\delta$ , using equation 8 implies that participants in the two treatment states make the same progress in learning how to play the effort task.

In order to ensure that different learning abilities across the two groups do not confound our results, we further run models of the form:

$$L_{i,r,s} = \beta_0 + \beta_1\tau_r + \beta_2T_s + \delta\tau_rT_s + \eta P_r + \epsilon_{i,r,s} \quad (9)$$

where the notation is the same as in equation 8 and  $P_r$  is a linear learning trend which takes the values 1, 2, 3 or 4 for each period. We also run specifications including the logged value of  $P_r$  ( $\log(P_r)$ ) to account for potentially diminishing learning trend. As discussed further below, our results do not change when we control for learning trend, indicating that randomization into treatments indeed worked. We did not include period fixed effects because the tax rate  $\tau_r$  does not vary within a given period.

In an effort to gain even more confidence in the treatment effect on responsiveness of labor effort to the tax rate, we estimate the above regression models sep-

arately for both treatment groups. We thereby, obviously, exclude the interaction term  $\tau_r T_s$  and derive coefficients for the effect of tax rates on effort independently for each treatment group. This allows for a more straight-forward statistical inference analysis to judge the precision of the tax rate effect in each treatment state. In the appendix, we also present results where we include control variables to verify that our results are not driven by confounding variables across the treatment states. These include age, sex, a dummy for German being the native language, risk aversion, tax morale, and a dummy for the time of the day a participant’s session was run (morning or afternoon). The fact that the results of interest are not altered by controlling for these variables provides further evidence that randomization worked well.

We set-up our data as a panel with 90 individuals and four observations per individual. We run random effects (GLS) regressions with standard errors clustered on individuals.<sup>18</sup> Random effects regressions yield unbiased results because random selection into treatments and exogenous tax rates cause the error term to be uncorrelated with our explanatory variable of interest in each time period (Wooldridge 2010).<sup>19</sup> Obviously, because the treatment status of a single individual never changes, it is not possible to estimate the treatment effect in the presence of individual fixed effects.

#### 4.2.2 Regression Results

**Levels** Table 4 depicts the results of our main regressions. The results obtained by regressing effort on the independent variables show a positive significant ( $p > 0.029$ ) treatment effect. Whereas the tax rate does not have any effect on labor effort in the control group (without evasion opportunity)—as indicated by the non-significant effect of the tax rate—, the interaction effect  $\tau_r T_s$  suggests that participants in the treatment group (with evasion opportunity) indeed react to the tax rate. The coefficient of 0.031 in column *I* implies that a rise in the tax rate by one percentage point increases the supply of labor effort in the treatment group by 0.031 positioned sliders more than in the control group. This effect is robust to the inclusion of a linear time trend (column *II*) or logged time trend (column *III*). Table 7 in the Appendix shows that the results are also robust to the inclusion of a set of control

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<sup>18</sup>Because our sample is relatively small, we also estimated robustness checks where we use block bootstrapped standard errors (blocked by the individual, 500 drawing repetitions) (Efron and Tibshirani 1994; Bertrand et al. 2004). This did not affect the precision of the standard errors.

<sup>19</sup>Note that the labor decision is not censored from above, making the use of estimators that allow for censoring, such as Tobit models, unnecessary. Table 2 depicts that the average number of correctly adjusted sliders was 19.2 (out of 48). The maximum number of correct positions was 32.42 suggesting that it was impossible to reach the upper bound of 48.

variables.

Table 4: Regression of Effort on Taxes

	I	II	III
Tax $\times$ Treat	0.031** (0.014)	0.031** (0.014)	0.031** (0.014)
Tax Rate	0.011 (0.011)	0.003 (0.011)	-0.011 (0.011)
Treated	-0.384 (0.986)	-0.384 (0.987)	-0.384 (0.987)
Time Trend		0.993*** (0.107)	
Time Trend (log)			2.226*** (0.237)
Constant	18.675*** (0.675)	16.440*** (0.649)	17.541*** (0.652)
Panel Obs	360	360	360
Indiv. Obs	90	90	90
Periods	4	4	4
R2	0.01	0.06	0.06

Random Effects Regressions. Dependent Variable is *Effort*. Standard Errors in parentheses are clustered by Individual. *Treated* is a dummy variable taking “1” if a participant is in the group with evasion opportunity (treated) and “0” if not. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 5 reports results for the same regression specifications, but separately for both treatments. The results confirm the previous result of a non-significant effect for the control group (in specifications *I* and *III*; indicated *control* in the table) and a positive and statistically significant effect for the treatment group (indicated *treated*). Depending on the specification of the time trend, we find an effect of the tax rate on effort of 0.035 (linear time trend) or 0.025 (logged time trend) for the treated. This is fairly in line with the previously discussed coefficient of the interaction effect in Table 4, 0.031. It implies that a rise in the tax rate by one percentage point increases labor effort among the treated by 0.035 (or 0.025) correctly positioned sliders. In terms of significance, we find the effects in the separate regressions to be even more precisely estimated (p-values in *II* and *IV*: 0.000 and 0.008). Again, we confirm the pattern that the coefficients are entirely robust to the inclusion of control variables. (see Table 8 in the appendix.)

Table 5: Regression of Effort on Taxes by Treatment Status

	I	II	III	IV
Group:	Control	Treated	Control	Treated
Tax Rate	0.001 (0.011)	0.035*** (0.009)	-0.016 (0.012)	0.025*** (0.009)
Time Trend	1.215*** (0.154)	0.770*** (0.141)		
Time Trend (log)			2.716*** (0.344)	1.736*** (0.314)
Constant	15.939*** (0.629)	16.557*** (0.702)	17.292*** (0.633)	17.407*** (0.696)
Panel Obs	180	180	180	180
Indiv. Obs	45	45	45	45
Periods	4	4	4	4
R2	0.08	0.04	0.08	0.04

Random Effects Regressions by Treatment Status. Dependent Variable is *Effort*. Standard Errors in parentheses are clustered by Individual. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

**Elasticities** Next, we reestimate the models in logs in order to obtain an elasticity interpretation. The results reported in Table 9 in the appendix again confirm the pattern of a zero effect in the control group environment and a positive statistical significant effect for the treatment group. A 1% increase in the tax rate increases the labor effort by 0.054% in the treatment group. These results remain stable when we add control variables to the regressions (see Table 10 in the Appendix) and when we run the regressions of logged effort on logged taxes separately for each treatment group; table 11 in the appendix (and also Table 12 including covariates) depicts that there is no effect among participants in the control group, whereas the treated exhibit a positive labor effort elasticity which depends on the specification of the period trend: 0.052 with the linear trend (specification *II*) and 0.035 when we control for the logged time trend (*IV*).

## 5 Discussion of Results

Our findings show that access to evasion opportunities is an important determinant of how individuals' labor effort respond to changes in tax rates. This section first provides an economic intuition of our main results and then proceeds to discuss implications of our findings for the ETI, the optimal tax rate, as well as tax revenue.

Since we used lab experiments to approach our research question, we also discuss the external validity of our findings in this section.

## 5.1 Labor Supply Responses

We find workers without evasion opportunities to have zero labor effort responses to tax rates. This finding is not surprising in light of empirical evidence in the labor supply literature (Duncan and Peter 2010; Keane 2011; Bargain et al. 2012) and suggests that small labor supply elasticities observed over all workers might be driven by workers without evasion opportunities who usually represent the largest share of workers. What is rather revealing though, is the fact that individuals with evasion opportunities are relatively more responsive to taxes. While interesting, this result makes sense when one considers the fact that individuals with evasion opportunities have two interrelated margins along which to adjust their income; reported income and labor supply. It is therefore possible that higher taxes leads to lower reported income, which interacts with the labor supply response via both income and substitution effects. In other words, lower reported income implies higher net income and higher net wage. The higher net income has a negative income effect on labor supply while the higher net wage has a positive substitution effect. Our findings suggest that this reported income induced substitution effect outweighs its income effect counterpart.<sup>20</sup>

## 5.2 Implications

The result described above has implications for the elasticity of taxable income (ETI), optimal tax rates and the tax revenue. *First*, results presented in specifications *I* and *II* of Table 6 show that access to evasion is an important determinant of the ETI. While we find no effect in the control group, the estimated ETI is 0.691 for the treatment group. In this sense, our findings are consistent with the observation that bunching around kink points in the tax schedule is mostly prevalent among the self-employed (Saez 2010; Bastani and Selin 2011; Chetty et al. 2012). As expected, our estimates for the treatment group are larger than most estimates for the overall working population (Saez et al. 2012), but is in with line with recent work by Burns and Ziliak (2012) who find that the ETI increases with education and is greater than one for individuals with a graduate degree. We argue that our findings represent one possible explanation for the results in Burns and Ziliak (2012) since well-educated

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<sup>20</sup>This story is supported by the fact that the standard income and substitution effects cancel each other out in the control group. We also observe a negative relationship between the tax rate and reported income (see table 2).

individuals with higher incomes and a higher propensity to be self-employed are more likely to have better evasion opportunities. Our findings are also consistent with Heim (2009, 2010) who shows that the ETI is increasing in income and larger for the self-employed. Again, we argue that access to evasion might play a role in explaining these results.

*Second*, the results also suggest that optimal tax policy must consider the behavioral implications of evasion. For example, access to evasion increases the responsiveness of the tax base thus forcing policy makers to adopt discriminatory tax rates; higher rates on non-evaders. However, similar to Slemrod and Kopczuk (2002) and Kopczuk (2005) we argue that policy makers should direct resources towards eliminating evasion opportunities and other avoidance loopholes. Doing so reduces the responsiveness of the tax base and allows policy makers to adopt relatively uniform tax rates. *Finally*, specifications *III* and *IV* in Table 6 show that the effect of tax rates on tax revenue differs across the two groups as expected. The effect is positive and statistically significant in both groups, but almost three times as high in the control group. Descriptive statistics (not reported) reveal that the average tax payment per person is more than twice as high in the control than in the treatment group. This suggests that the responsiveness of individuals, especially those in the treatment group, is inelastic, which is consistent with estimates that rely on “real” observational data (Saez et al. 2012).

An obvious caveat to our experimental findings is the fact that our experimental set-up mirrors a world where only two channels are available to adjust taxable income. It is not immediately clear what the implications are for a model with more than two response margins. We leave such considerations for future research.

### 5.3 External Validity

As with all economics laboratory experiments, there remains doubt about the external validity of our results.<sup>21</sup> One major concern is that the setting in the lab is abstract and artificial. In our experiment, however, we rely on a “real-effort” experiment in which subjects have to work on an actual task and earn money dependent on their performance. While not perfectly equivalent to a naturally occurring environment, the effort task represents real economic choices and is similar to many “real world” labor tasks in the sense that it is annoying and somewhat “painful”. Again, we acknowledge the need to exercise caution when generalizing labor effort decisions to more traditional labor supply decisions such as hours worked. However,

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<sup>21</sup>See Levitt and List (2007) for a critical discussion of the generalizability of lab experiments. Falk and Heckman (2009) offer a defense of most concerns, some of which are also discussed here.

Table 6: Regression of Taxable Income and Revenue on Taxes by Treatment Status

	I	II	III	IV
Group:	Control	Treated	Control	Treated
Dep. Var:	Taxable Inc (log)		Tax revenue	
NTR (log)	0.051 (0.040)	0.691* (0.368)		
Tax Rate			1.196*** (0.048)	0.422*** (0.110)
Time Trend (log)	0.135*** (0.018)	-0.431*** (0.165)	2.616*** (0.331)	1.063 (1.433)
Constant	4.431*** (0.186)	-0.435 (1.626)	-2.117*** (0.538)	2.026 (2.302)
Panel Obs	180	180	180	180
Indiv. Obs	45	45	45	45
Periods	4	4	4	4
R2	0.07	0.02	0.79	0.11

Random Effects Regressions by Treatment Status. Dependent Variable is *Logged Taxable Income* in I and II and *Tax Revenue* in III and IV. *NTR* (net-of-tax rate) is defined as (1 - Tax Rate). Standard Errors in parentheses are clustered by Individual. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

since the choices between effort and hours worked are isomorphic in many ways (Charness and Kuhn 2011) and share many characteristics, we argue that choices in the real-effort experiment can serve as a good proxy for actual labor supply. In order to make the tax evasion decision as realistic as possible we used actual tax terminology and announced to the participants that all tax revenue will be donated to the German Red Cross, a non-ideological charity organization that is usually perceived as reliable and transparent.<sup>22</sup>

It is also often argued that the stakes in lab experiments are too small to interpret the outcomes as realistic. This is unlikely to be true in our case because our average pay-off of EUR 11.73 corresponds to more than five full lunch meals in the student cafeteria at Cologne University.<sup>23</sup> Furthermore, many experiments conducted in locations where the stakes were equivalent to more than a month's

<sup>22</sup>Tax morale research (Torgler 2007) finds that taxpayers are more likely to comply with the tax laws if they believe that the tax revenue is spent transparently. Eckel and Grossman (1996) show that dictators share more in dictator games if the recipient is the American Red Cross. Overall, we donated EUR 237,91 to the Red Cross.

<sup>23</sup>The show-up fee is equivalent to one meal. The cafeteria at University of Cologne is the most popular spot for students to buy their daily lunch.

earnings find very similar results to conventional “small-stake” experiments (Slonim and Roth 1998). Additionally, it is questionable if high stakes render a more realistic setting since most “real-life” decisions do not involve massive amounts of money (Falk and Heckman 2009). Another concern is the reliance on university students as participants. Many experiments with non-student populations find results comparable to experiments with students (see Charness and Kuhn 2011 for references). Furthermore, Alm et al. (2011) compare students to non-students in tax compliance experiments and find that reporting responses of students to policy innovations are largely the same as non-students in identical experiments and “real” people in non-experiment environments.

## 6 Conclusion

This paper is the first to cleanly identify the effect of access to evasion opportunities on labor supply elasticities with respect to tax rates. It is observed that some types of workers have the opportunity to hide their income while others do not have such opportunities, e.g. due to being subject to third-party-reporting. We set up a simple labor supply model to show that different access to evasion might be one—obviously not the only—reason for heterogeneous elasticities. A lab experiment is utilized to test our model’s predictions. In the experiment, all subjects first undertake a simple labor effort task and then have to pay taxes on the income they earn from the labor task. The tax rate varies across the rounds and is announced before each new round. A treatment group is given the opportunity to report their income either correctly or falsely, while the control group does not have the opportunity to evade and their tax liability is simply withdrawn. We find zero labor effort supply responses to tax rates in the control group and positive statistically significant adjustments in the treatment group. This suggests that both groups indeed react differently to taxes.

Our results provide one possible explanation for why observed labor supply elasticities might be different across different types of workers. Workers with a reporting decision, i.e., the opportunity to evade taxes, have two channels to adjust their taxable income, labor supply and evading, whereas workers who are subject to third-party reporting are only able to resort to labor adjustments. The present paper is the first to empirically show that heterogeneous access to evasion opportunities, as found in recent empirical studies (Kleven et al. 2011; Chetty et al. 2012), have an impact on economic decisions such as labor supply. Our results also have implications for the evaluation of tax reforms as they show that effects of such reforms might be heterogeneous across the population, resulting in different responses to the tax reforms of the self-employed as opposed to employees. While the elasticity

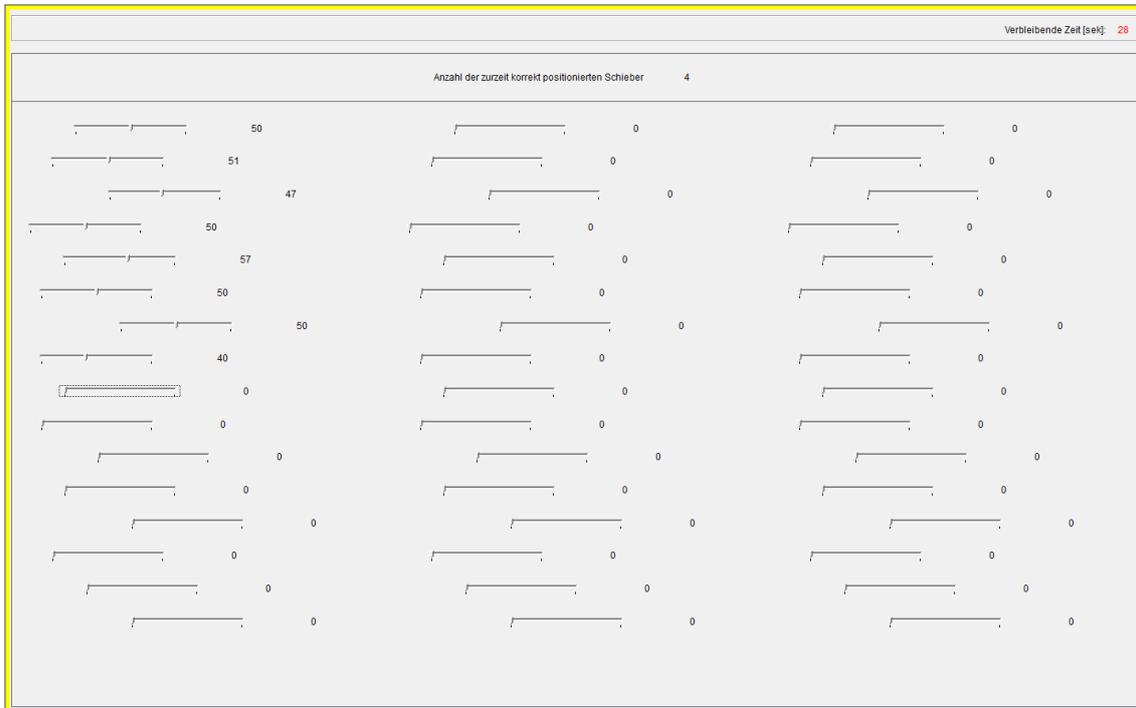
of taxable income is significantly positive in the treatment group, it is very small and not statistically different from zero in the control group. The combination of positive labor effort elasticity and positive ETI implies that the reporting response is greater than the real (labor effort) response for individuals in the treatment group, which is consistent with the hierarchical structure of behavioral responses described by Slemrod (1992).

Our results suggest that policy makers ought to adopt discriminatory tax rates; higher rates on non-evaders. Otherwise, workers with access to evasion are likely to adjust their taxable income considerably in response to tax changes, which yields excessive distortions and welfare losses. However, we argue that policy makers should strive to close all evasion/avoidance loopholes instead of adopting discriminatory tax rates. Closing loopholes would reduce the responsiveness of the tax base and allow for more uniform tax rates, which may be higher or lower. A similar argument is made by Piketty et al. (2011) who argue that avoidance responses to higher tax rates restrict the scope to increase top tax rates. Closing loopholes would also lead to equity gains by ensuring that the effective tax rate is equal across all types of workers *all else equal* (Alm and Finlay 2012).

We acknowledge that external validity has to be considered when extrapolating the results to the “real” world. However, just as with field-experiments and quasi-experimental observational studies, we argue that our results should be interpreted as Local Average Treatment Effects (LATE) that provide causal evidence on a particular sub-population.

## A The Slider Task

Figure 2: Screen showing the slider task



*Note:* The slider task was designed by Gill and Prowse (2012). In the displayed screen, the subject positioned four sliders correctly and four falsely. She currently works on positioning the ninth slider. 28 seconds are left in this round.

## B Regression Tables

Table 7: Regression of Effort on Taxes with controls

	I	II	III
Tax $\times$ Treat	0.031** (0.014)	0.031** (0.014)	0.031** (0.014)
Tax Rate	0.011 (0.011)	0.003 (0.011)	-0.011 (0.011)
Treated	-0.847 (0.888)	-0.847 (0.889)	-0.847 (0.889)
Time of day	1.631* (0.849)	1.631* (0.850)	1.631* (0.850)
Male	3.247*** (0.847)	3.247*** (0.848)	3.247*** (0.848)
German Native	2.829** (1.199)	2.829** (1.200)	2.829** (1.200)
Age	-0.145** (0.062)	-0.145** (0.062)	-0.145** (0.062)
Risk Aversion	0.753 (0.728)	0.753 (0.729)	0.753 (0.729)
Tax Morale	-0.269 (0.186)	-0.269 (0.186)	-0.269 (0.186)
Time Trend		0.993*** (0.108)	
Time Trend (log)			2.226*** (0.239)
Constant	17.411*** (2.739)	15.176*** (2.766)	16.278*** (2.752)
Panel Obs	360	360	360
Indiv. Obs	90	90	90
Periods	4	4	4
R2	0.30	0.35	0.35

Random Effects Regressions. Dependent Variable is *Effort*. Standard Errors in parentheses are clustered by Individual. *Treated* is a dummy variable taking “1” if a participant is in the group with evasion opportunity (treated) and “0” if not. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 8: Regression of Effort on Taxes by Treatment Status with controls

	I	II	III	IV
Group:	control	treated	control	treated
Tax Rate	0.001 (0.011)	0.035*** (0.009)	-0.016 (0.012)	0.025*** (0.009)
Time of day	0.391 (1.257)	3.979*** (1.091)	0.391 (1.257)	3.979*** (1.091)
Male	3.646*** (1.210)	1.502 (1.189)	3.646*** (1.210)	1.502 (1.189)
German Native	3.277** (1.580)	3.660** (1.554)	3.277** (1.580)	3.660** (1.554)
Age	0.114 (0.184)	-0.123* (0.071)	0.114 (0.184)	-0.123* (0.071)
Risk Aversion	0.260 (0.706)	1.827 (1.270)	0.260 (0.706)	1.827 (1.270)
Tax Morale	-0.634** (0.268)	0.141 (0.179)	-0.634** (0.268)	0.141 (0.179)
Time Trend	1.215*** (0.157)	0.770*** (0.144)		
Time Trend (log)			2.716*** (0.350)	1.736*** (0.319)
Constant	13.024** (5.849)	6.330 (4.199)	14.377** (5.805)	7.180* (4.143)
Panel Obs	180	180	180	180
Indiv. Obs	45	45	45	45
Periods	4	4	4	4
R2	0.40	0.46	0.40	0.46

Random Effects Regressions by Treatment Status. Dependent Variable is *Effort*. Standard Errors in parentheses are clustered by Individual. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 9: Regressions of Logged Effort on Logged Taxes

	I	II	III
Tax (log) $\times$ Treat	0.054** (0.024)	0.054** (0.024)	0.054** (0.024)
Tax Rate (logged)	0.006 (0.019)	-0.003 (0.019)	-0.024 (0.019)
Treated	-0.150* (0.085)	-0.150* (0.085)	-0.150* (0.085)
Time Trend		0.054*** (0.006)	
Time Trend (log)			0.120*** (0.013)
Constant	2.886*** (0.060)	2.779*** (0.061)	2.888*** (0.060)
Panel Obs	360	360	360
Indiv. Obs	90	90	90
Periods	4	4	4
R2	0.01	0.05	0.06

Random Effects Regressions. Dependent Variable is *logged Effort*. Standard Errors in parentheses are clustered by Individual. *Treated* is a dummy variable taking “1” if a participant is in the group with evasion opportunity (treated) and “0” if not. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 10: Regressions of Logged Effort on Logged Taxes with controls

	I	II	III
Tax (log) $\times$ Treat	0.054** (0.024)	0.054** (0.024)	0.054** (0.024)
Tax Rate (logged)	0.006 (0.019)	-0.003 (0.019)	-0.024 (0.019)
Treated	-0.174** (0.085)	-0.174** (0.085)	-0.174** (0.085)
Time of day	0.086* (0.047)	0.086* (0.047)	0.086* (0.047)
Male	0.180*** (0.043)	0.180*** (0.043)	0.180*** (0.043)
German Native	0.173** (0.071)	0.173** (0.071)	0.173** (0.071)
Age	-0.009** (0.003)	-0.009** (0.003)	-0.009** (0.003)
Risk Aversion	0.029 (0.038)	0.029 (0.038)	0.029 (0.038)
Tax Morale	-0.014 (0.009)	-0.014 (0.009)	-0.014 (0.009)
Time Trend		0.054*** (0.006)	
Time Trend (log)			0.120*** (0.013)
Constant	2.833*** (0.158)	2.726*** (0.160)	2.834*** (0.158)
Panel Obs	360	360	360
Indiv. Obs	90	90	90
Periods	4	4	4
R2	0.31	0.36	0.36

Random Effects Regressions. Dependent Variable is *logged Effort*. Standard Errors in parentheses are clustered by Individual. *Treated* is a dummy variable taking “1” if a participant is in the group with evasion opportunity (treated) and “0” if not. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 11: Regression of logged Effort on logged Taxes by Treatment Status

	I	II	III	IV
Group:	control	treated	control	treated
Tax Rate (logged)	-0.004 (0.019)	0.052*** (0.015)	-0.030 (0.019)	0.035** (0.015)
Time Trend	0.063*** (0.008)	0.044*** (0.008)		
Time Trend (log)			0.142*** (0.017)	0.098*** (0.018)
Constant	2.760*** (0.062)	2.649*** (0.063)	2.888*** (0.060)	2.738*** (0.060)
Panel Obs	180	180	180	180
Indiv. Obs	45	45	45	45
Periods	4	4	4	4
R2	0.07	0.04	0.07	0.04

Random Effects Regressions by Treatment Status. Dependent Variable is *logged Effort*. Standard Errors in parentheses are clustered by Individual. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

Table 12: Regression of logged Effort on logged Taxes by Treatment Status with controls

	I	II	III	IV
Group:	control	treated	control	treated
Tax Rate (logged)	-0.004 (0.019)	0.052*** (0.015)	-0.030 (0.020)	0.035** (0.015)
Time of day	0.021 (0.068)	0.212*** (0.061)	0.021 (0.068)	0.212*** (0.061)
Male	0.215*** (0.065)	0.082 (0.060)	0.215*** (0.065)	0.082 (0.060)
German Native	0.206** (0.098)	0.212** (0.087)	0.206** (0.098)	0.212** (0.087)
Age	0.005 (0.010)	-0.008** (0.004)	0.005 (0.010)	-0.008** (0.004)
Risk Aversion	0.013 (0.037)	0.068 (0.071)	0.013 (0.037)	0.068 (0.071)
Tax Morale	-0.030** (0.013)	0.004 (0.009)	-0.030** (0.013)	0.004 (0.009)
Time Trend	0.063*** (0.008)	0.044*** (0.008)		
Time Trend (log)			0.142*** (0.017)	0.098*** (0.018)
Constant	2.579*** (0.308)	2.177*** (0.238)	2.707*** (0.306)	2.266*** (0.232)
Panel Obs	180	180	180	180
Indiv. Obs	45	45	45	45
Periods	4	4	4	4
R2	0.38	0.45	0.38	0.45

Random Effects Regressions by Treatment Status. Dependent Variable is *logged Effort*. Standard Errors in parentheses are clustered by Individual. Significance levels: \* < 0.10, \*\* < 0.05, \*\*\* < 0.01

## C Theoretical model

### C.1 Maximum exists

This section of the appendix shows that the conditions for a maximum are satisfied. To see this we differentiate the equations in (3) with respect to  $L$  and  $R$  to get:

$$V = \begin{bmatrix} A & B \\ C & D \end{bmatrix}$$

where  $A = [pw^2\gamma^2U''_{C_a} + qw^2U''_{C_n} + U''_L]$ ,  $B = [pw\gamma\tau U''_{C_a} - qw\tau U''_{C_n}]$ ,  $C = [p\gamma wU''_{C_a} - qwU''_{C_n}]$ , and  $D = [p\tau U''_{C_a} + q\tau U''_{C_n}]$ , and  $q = (1 - p)$  and  $\gamma = (1 - 2\tau)$ . Maximum requires that  $V$  is negative definite; i.e.;  $A < 0$  and  $\Lambda = A * D - B * C > 0$ .  $A$  is less than zero as long as  $U''_{C_a} < 0$ ,  $U''_{C_n} < 0$ , and  $U''_L < 0$ . Therefore, we need to show that  $\Lambda = A * D - B * C > 0$ .

It can be shown that

$$\begin{aligned} A * D &= (pw\gamma U''_{C_a})^2\tau + pq(w\gamma)^2\tau U''_{C_a} U''_{C_n} + pqw^2\tau U''_{C_a} U''_{C_n} + (qw)^2\tau(U''_{C_n})^2 + p\tau U''_{C_a} U''_L + q\tau U''_{C_n} U''_L \\ &= p^2w^2\tau U''_{C_n} U''_{C_a} \left[ \gamma^2 \frac{U''_{C_a}}{U''_{C_n}} + \frac{q}{p}\gamma^2 + \frac{q}{p} + \frac{q^2 U''_{C_n}}{p U''_{C_a}} \right] + p\tau U''_L \left[ U''_{C_a} + \frac{q}{p} U''_{C_n} \right] \end{aligned}$$

and that

$$\begin{aligned} B * C &= (pw\gamma U''_{C_a})^2\tau - pq\gamma w^2\tau U''_{C_a} U''_{C_n} - pqw^2\gamma\tau U''_{C_a} U''_{C_n} + (qw)^2\tau(U''_{C_n})^2 \\ &= p^2w^2\tau U''_{C_n} U''_{C_a} \left[ \gamma^2 \frac{U''_{C_a}}{U''_{C_n}} - 2\frac{q}{p}\gamma + \frac{q^2 U''_{C_n}}{p U''_{C_a}} \right] \end{aligned}$$

Therefore,

$$A * D - B * C = p^2w^2\tau U''_{C_n} U''_{C_a} (1 + \gamma)^2 + p\tau U''_L \left[ U''_{C_a} + \frac{q}{p} U''_{C_n} \right] > 0 \quad Q.E.D.$$

### C.2 Comparative Statics

This section of the appendix derives comparative static results for our theoretical model. We are particularly interested in the effect of non-labor income and the tax rate on labor supply. Start by totally differentiating the equations in (3) under the assumption that  $d\tau = dw = 0$ ,  $dm \neq 0$ ,  $dL \neq 0$ , and  $dR \neq 0$ . This yields:

$$\begin{aligned} pw\gamma U''_{C_a} (\gamma wdL + \gamma dM + \tau dR) + qwU''_{C_n} (wdL + dM - \tau dR) + U''_L dL &= 0 \\ pU''_{C_a} (\gamma wdL + \gamma dM + \tau dR) - qU''_{C_n} (wdL + dM - \tau dR) &= 0 \end{aligned} \quad (10)$$

where  $q = (1 - p)$  and  $\gamma = (1 - 2\tau)$ . Rewrite equation (14) as<sup>24</sup>

$$\begin{aligned} AdL + BdR + GdM &= 0 \\ AdL + BdR + HdM &= 0 \end{aligned} \tag{11}$$

and solve for the income effect to get:

$$\frac{dL}{dM} = -\frac{pqw\tau U''_{C_a} U''_{C_n} (1 + \gamma)^2}{\Lambda} \leq 0 \tag{12}$$

This result implies that labor supply is an inferior good; i.e., an increase in non-labor income reduces labor supply.<sup>25</sup>

Similarly, the effect of true income on reported income is:

$$\begin{aligned} \frac{dR}{dM} &= \frac{(p(1 - 2\tau) \frac{U''_{C_a}}{U''_{C_n}} - q)}{\Lambda} \leq 0 \\ &= \frac{(1 - p)U''_{C_a} U''_L (\frac{R_{cc}^a}{R_{cn}^a} (1 - 2\tau) - 1)}{\Lambda}, \end{aligned} \tag{13}$$

where  $R_{ci}^a$  is the measure of absolute risk aversion in state  $i$ .

Next we derive the effect of tax rate on labor supply by totally differentiating the equations in (3) under the assumption that  $dM = dw = 0$ ,  $d\tau \neq 0$ ,  $dL \neq 0$ , and  $dR \neq 0$ . This yields:

$$\begin{aligned} -2pwU'_{C_a} d\tau + pw\gamma U''_{C_a} [\gamma wdL - 2Id\tau + \tau dR + Rd\tau] + qwU''_{C_n} [wdL - \tau dR - Rd\tau] + U''_L dL &= 0 \\ pU''_{C_a} (\gamma wdL - 2Id\tau + \tau dR + Rd\tau) - qU''_{C_n} (wdL - \tau dR - Rd\tau) &= 0 \end{aligned}$$

which we rewrite as<sup>26</sup>

$$\begin{aligned} AdL + BdR - Ed\tau &= 0 \\ CdL + DdR - Fd\tau &= 0 \end{aligned} \tag{14}$$

Rewriting equation (14) in matrix form and solving for  $\frac{dL}{d\tau}$  yields:

$$\frac{dL}{d\tau} = \frac{\overbrace{p^2 w \tau U'_{C_a} U''_{C_a} Z}^1}{\Lambda} - \frac{\overbrace{p w \tau U''_{C_a} U''_{C_n} Q}^2}{\Lambda} - \frac{\overbrace{\frac{dL}{dM} (wL + M)}^3}{(1 - \tau)} \leq 0, \tag{15}$$

<sup>24</sup> A, B, C, and D are as defined earlier while  $G = pw\gamma U''_{C_a} + qwU''_{C_n}$ , and  $H = p\gamma U''_{C_a} - qU''_{C_n}$ .

<sup>25</sup> The effect of non-labor income on labor supply would be ambiguous as in the standard labor supply model had we not imposed the strong separability assumption.

<sup>26</sup> A, B, C, and D are as defined earlier while  $E = [2pwU'_{C_a} + 2pwI\gamma U''_{C_a} - pw\gamma R U''_{C_a} + qwR U''_{C_n}]$  and  $F = [2pI U''_{C_a} - pR U''_{C_a} - qR U''_{C_n}]$ .

where<sup>27</sup>

$$\begin{aligned}
Z &= [2 + 2(1 - 2\tau)(wL + M - R) + \frac{(1 - p)}{p}R\frac{U''_{C_n}}{U''_{C_a}}] \\
Q &= [2(1 - 2\tau)\frac{U''_{C_a}}{U''_{C_n}}(wL + M) + (p(1 - 2\tau)\frac{U''_{C_a}}{U''_{C_n}} - (1 - p))R + 2(1 - p)] \\
\Lambda &= p^2w^2\tau U''_{C_a}U''_{C_n}\frac{(1 - p)}{p}4(1 - \tau)^2 + p\tau U''_L(U''_{C_a} + \frac{(1 - p)}{p}U''_{C_n}),
\end{aligned}$$

As in the standard model, equation (15) may or may not be negative. The first two terms capture substitution effects and is always negative as long as  $\tau < 0.5$ . In other words, an increase in the tax rate leads to lower labor supply. On the other hand, higher taxes imply lower income, which leads to higher labor supply to compensate for the lost income. This income effect is captured by the third term.

## D Instructions

### D.1 English translation: Evasion opportunity treatment

Welcome and thank you for participating in our experiment. From now on until the end of the experiment, please refrain from communicating with other participants. If you do not abide by this rule, we will have to exclude you from the experiment.

We kindly ask you to read the instructions thoroughly. If you have any questions after reading the instructions or during the experiment, please raise your hand and one of the instructors will come to you and answer your question in person. Your payment and your decisions throughout the experiment will be treated confidentially. None of the other participants is informed, neither during nor after the experiment, about your decisions in the experiment or your payment.

You can earn money in this experiment. How much you earn depends on your decisions. During the experiment, your payments will be calculated in a virtual currency: Experimental Currency Units (ETU). **1 ECU corresponds to 0.10 Euro**. After the experiment, your pay-off will be converted to Euro and given to you in cash. Additionally, you will receive a show-up fee of 2.50 Euro.

### The Experiment

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<sup>27</sup>Note that  $Q > 0$  since  $2(1 - 2\tau)\frac{U''_{C_a}}{U''_{C_n}} > (p(1 - 2\tau)\frac{U''_{C_a}}{U''_{C_n}} - (1 - p))$ , and  $wL + M > R$ . This follows from the fact that  $0 < p < 1$ . We also assume  $(1 - 2\tau) > 0$ , which requires  $\tau < 0.5$  as in our experiment.

**Overview** The experiment consists of 11 rounds. In each round, you will first complete a labor task and, depending on your performance, earn money from this labor task. You will have to pay taxes on your earned income. Therefore, after the labor task you will be faced with a tax reporting decision. Both the labor task and the tax return filing are described in more detail further below.

**Payment** The first of 11 rounds serves as a practice round, in which you cannot earn money. The subsequent 10 rounds are paying rounds. All rounds are independent of each other. What is more, your pay-off does not at all depend on the decisions of other participants. The pay-off, which you will be paid in cash at the end of the experiment, does not consist of the sum of the net incomes from all 10 paying rounds. Instead, after the experiment, one round will be randomly chosen to determine your payment. Practically this means that after all 10 paying rounds have been completed you will throw a 10-sided die. The number shown by the die determines the round for which you will be paid.

**Flow of each round** You will be told the tax rate for a given round at the beginning of that round. The tax rate may, but does not have to, vary from round to round. In the next step you will complete the **labor task** on the computer screen. After completion of this labor task, you will be shown your gross income. This is based on your performance during the labor task plus a fixed amount. Details on the labor task are described further below.

After completion of the labor task, you will be faced with a **tax reporting decision**. You choose an amount, which shall be taxed at the prevailing tax rate. The amount you chose may be as high as your earned gross income or lower. There is a random chance of 10% that your decision will be checked to see whether you reported your true gross income. If you are *not* checked, your payment for this round - the net income - will consist of your gross income less the tax payment. If you are checked *and* you have not fully reported your gross income, you will have to pay a penalty. More details are explained further below. All tax revenues paid by you and all other participants will be donated to the German Red Cross.

**In Summary**, each of the 11 rounds is timed as follows:

1. Information on prevailing tax rate
2. Completing the labor task
3. Information on gross income

4. Tax reporting
5. Check whether tax reporting is checked.
6. Calculation of this round's net income

**The Labor Task** At the beginning of each round you will first be informed about the tax rate in that round. Afterwards, you undertake a labor task on the computer screen using the computer mouse. In each round the task will last 120 seconds. During the task a screen with 48 so-called sliders appears on the screen. Each slider is initially positioned at "0" (Zero) and can be moved by you. You can move the slider to every whole number between "0" and "100" by clicking on the slider and moving the computer mouse. The current position of each slider is displayed to the right of this slider. You can readjust the position of each slider as many times as you wish. For each slider that you position exactly at "50" during the 120 seconds, you earn 6 ECU. During the 120 seconds of the labor task, on the upper right of the screen you are shown how many sliders are currently positioned at "50".

**The Tax Return** In the next step, you are shown on the screen how many ECU you earned in the labor task. Regardless of the ECU you earned based on correctly positioned sliders, you will receive an additional 5 ECU per round. The sum of the income from the labor task and this unconditionally given amount determines your **gross income**. This is shown on the screen. You are, once more, also shown which tax rate is in force.

You are now asked to **report income for tax purposes**. You choose an amount which shall be taxed at this round's prevailing tax rate. This chosen amount can be between zero and your gross income.

**Calculation of Net Income** After the completion of the tax reporting decision, one of the experimental investigators will come up to your booth with a 10-sided die. Please throw this 10-sided die. Based on the result of the die throw, there are two alternative scenarios, of which one is realized.

- a) The die shows a **number between 2 and 10** (that is, a number out of 2,3,..., 9, 10)

In case the die shows a number between 2 and 10, your reporting decision will *not* be checked to determine whether you reported your full gross income for tax purposes. Your payment for this round - the net income -, in this case, consists of your gross income (earnings from labor task plus 5 ECU) less the

tax payment. Thereby, the tax payment is the reported income multiplied with the prevailing tax rate. Hence:

$$\underline{\text{Net income}} = \text{gross income} - (\text{reported amount} * \text{tax rate})$$

b) The die shows the **number 1**:

In case the die shows the number 1 your reporting decision will be checked to determine whether you reported your full gross income for tax purposes. Depending on your previous decision, there are two different possibilities for your net income:

- If your reported income *equals* your true gross income, then your net income consists of your gross income less your tax liability. Hence:

$$\underline{\text{Net income}} = \text{gross income} - (\text{gross income} * \text{tax rate})$$

- If your reported income is *lower* than your gross income, then you will have to pay the tax liability based on your true gross income and additionally you will have to pay a penalty. This penalty is equal to the difference between your true gross income and your reported income multiplied by the prevailing tax rate. Hence:

$$\underline{\text{Net income}} = \text{gross income} - (\text{gross income} * \text{tax rate}) - [(\text{gross income} - \text{reported income}) * \text{tax rate}]$$

**Final Remarks** After the completion of all 11 rounds - one practice round plus 10 paying rounds - the experiment is finished. One of the experimental investigators will come up to your booth and, once more, we ask you to throw a 10-sided die. The die throw determines the round (out of the 10 paying rounds) for which you are paid. For example, if the die shows the number "2", then your payment consists of the net income that you earned in the second paying round. In addition, you receive the show-up fee of 2,50 Euro. You will also be asked to complete a short questionnaire at the end of the experiment while we prepare the payments. All information collected through this questionnaire, just like all data gathered during the experiment, are anonymous and exclusively used for scientific purposes. After you have completed the questionnaire, please remain seated at your booth until we call you to come up front to pick up your payment.

## D.2 English translation: No-Evasion opportunity treatment

Welcome and thank you for participating in our experiment. From now on until the end of the experiment, please refrain from communicating with other participants. If you do not abide by this rule, we will have to exclude you from the experiment. We kindly ask you to read the instructions thoroughly. If you have any questions after reading the instructions or during the experiment, please raise your hand and one of the instructors will come to you and answer your question in person. Your payment and your decisions throughout the experiment will be treated confidentially. None of the other participants is informed, neither during nor after the experiment, about your decisions in the experiment or your payment. You can earn money in this experiment. How much you earn depends on your decisions. During the experiment, your payments will be calculated in a virtual currency: Experimental Currency Units (ETU). **1 ECU corresponds to 0.10 Euro**. After the experiment, your pay-off will be converted to Euro and given to you in cash. Additionally, you will receive a show-up fee of 2.50 Euro.

### The Experiment

**Overview** The experiment consists of 11 rounds. In each round, you will complete a labor task and, depending on your performance, earn money from this labor task. You will have to pay taxes on your earned income.

**Payment** The first of 11 rounds serves as a practice round, in which you cannot earn money. The subsequent 10 rounds are paying rounds. All rounds are independent of each other. What is more, your pay-off does not at all depend on the decisions of other participants. The pay-off, which you will be paid in cash at the end of the experiment, does not consist of the sum of the net incomes from all 10 paying rounds. Instead, after the experiment, one round will be randomly chosen to determine your payment. Practically this means that after all 10 paying rounds have been completed you will throw a 10-sided die. The number shown by the die determines the round for which you will be paid.

**Flow of each round** You will be told the tax rate for a given round at the beginning of that round. The tax rate may, but does not have to, vary from round to round. In the next step you will complete the labor task on the computer screen. After completion of this labor task, you will be shown your gross income, the prevailing tax rate and your corresponding net income. Your gross income is based on your performance during the labor task plus a fixed amount of 5 ECU. Details on

the labor task and calculation of the net income are described further below. All tax revenues paid by you and all other participants will be donated to the German Red Cross.

**In Summary**, each of the 11 rounds is timed as follows:

- a) Information on prevailing tax rate
- b) Completing the labor task
- c) Information on gross income
- d) Calculation of this round's net income

**The Labor Task** At the beginning of each round you will first be informed about the tax rate in that round. Afterwards, you undertake a labor task on the computer screen using the computer mouse. In each round the task will last 120 seconds. During the task a screen with 48 so-called sliders appears on the screen. Each slider is initially positioned at "0" (Zero) and can be moved by you. You can move the slider to every whole number between "0" and "100" by clicking on the slider and moving the computer mouse. The current position of each slider is displayed to the right of this slider. You can readjust the position of each slider as many times as you wish. For each slider that you position exactly at "50" during the 120 seconds, you earn 6 ECU. During the 120 seconds of the labor task, on the upper right of the screen you are shown how many sliders are currently positioned at "50".

**Calculation of Net Income** After the completion of the tax reporting decision, you will be shown your gross income for this round. The gross income is based on the number of correctly positioned sliders plus a fixed amount of 5 ECU. Your gross income will be taxed at this round's prevailing tax rate. Your payment for this round - the net income -, consists of your gross income less the tax payment. Thereby, the tax payment is the gross income multiplied with the prevailing tax rate. Hence:

$$\underline{\text{Net income}} = \text{gross income} - (\text{gross income} * \text{tax rate})$$

**Final Remarks** After the completion of all 11 rounds - one practice round plus 10 paying rounds - the experiment is finished. One of the experimental investigators will come up to your booth and we ask you to throw a 10-sided die. The die throw determines the round (out of the 10 paying rounds) for which you are paid. For

example, if the die shows the number "2", then your payment consists of the net income that you earned in the second paying round. In addition, you receive the show-up fee of 2,50 Euro. You will also be asked to complete a short questionnaire at the end of the experiment while we prepare the payments. All information collected through this questionnaire, just like all data gathered during the experiment, are anonymous and exclusively used for scientific purposes. After you have completed the questionnaire, please remain seated at your booth until we call you to come up front to pick up your payment.

### **D.3 German original**

The following pages display the original German instructions for both treatment states.<sup>28</sup>

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<sup>28</sup>In order to indicate to the reader which instructions belong to which treatment status, we put either "Control group" or "Treatment group" in parentheses after the header. Of course, the original version given to the participants did not contain any hint regarding the treatment status.

## **Instruktionen (Treatment group)**

Herzlich willkommen und vielen Dank für Ihre Teilnahme an unserem Experiment. Bitte kommunizieren Sie ab sofort und bis zum Ende des Experimentes nicht mehr mit anderen Teilnehmern. Sollten Sie sich nicht an diese Regel halten, müssen wir Sie von dem Experiment ausschließen.

Wir bitten Sie, die Instruktionen sehr aufmerksam zu lesen. Wenn Sie nach dem Lesen oder während des Experimentes noch Fragen haben, heben Sie bitte Ihre Hand. Einer der Experimentleiter wird dann zu Ihnen kommen und Ihre Frage persönlich beantworten. Ihre Auszahlung und Ihre Entscheidungen werden vertraulich behandelt. Keiner der anderen Teilnehmer erfährt während oder nach dem Experiment, welche Entscheidungen Sie getroffen haben oder wie hoch Ihre Auszahlung war.

Sie können in diesem Experiment Geld verdienen. Wie viel Sie verdienen, hängt von Ihren Entscheidungen ab. Ihre Auszahlungen werden im Laufe des Experimentes in virtuellen Geldeinheiten, den Experimental Currency Units (ECU), gerechnet. **1 ECU entspricht 0,10 Euro.** Ihre Auszahlung wird nach dem Ende des Experimentes in Euro umgerechnet und in bar an Sie ausgezahlt. Zusätzlich erhalten Sie für Ihr Erscheinen eine Zahlung in Höhe von 2,50 Euro.

## **Das Experiment**

### **Übersicht**

Das Experiment besteht aus 11 Runden. In jeder Runde werden Sie zunächst eine Arbeitsaufgabe erledigen und dafür abhängig von Ihrer Leistung Geldeinheiten erhalten. Die von Ihnen verdienten Geldeinheiten aus der Arbeitsaufgabe sind zu versteuern. Daher sind Sie im Anschluss an die Arbeitsaufgabe mit einer Steuererklärung konfrontiert. Sowohl die Arbeitsaufgabe als auch die Steuerklärungsentscheidung werden weiter unten detaillierter erklärt.

### **Auszahlung**

Die erste der 11 Runden gilt als Übungsrunde, in der Sie kein Geld verdienen können. In den 10 darauffolgenden Auszahlungsrunden können Sie Geld verdienen. Alle Runden sind völlig unabhängig voneinander, außerdem hängt Ihre Auszahlung in keiner Weise von den Entscheidungen oder Leistungen anderer Experimentteilnehmer ab. Die Auszahlung, die am Ende an Sie geleistet wird, besteht nicht aus der Summe Ihrer Nettoeinnahmen aus allen 10 Auszahlungsrunden, sondern es wird im Anschluss an das Experiment zufällig eine Runde ausgewählt, die Ihre Bezahlung bestimmt. Praktisch heißt das, dass Sie nach dem Ende aller Runden einen 10-seitigen Würfel werfen werden. Die Zahl, die der Würfel anzeigt, bestimmt die Runde, auf deren Basis Sie bezahlt werden.

## **Ablauf einer Runde**

In jeder Runde wird Ihnen zunächst der in dieser Runde geltende Steuersatz angezeigt. Dieser Steuersatz kann, muss aber nicht, von Runde zu Runde variieren. Im nächsten Schritt absolvieren Sie am Computerbildschirm eine **Arbeitsaufgabe**. Nach dem Absolvieren dieser Arbeitsaufgabe wird Ihnen Ihr Bruttoeinkommen angezeigt, das auf Ihrer Arbeitsleistung zuzüglich eines fixen Betrags basiert. In jeder Runde gilt für alle Teilnehmer derselbe Steuersatz. Einzelheiten zu der Arbeitsaufgabe sind weiter unten beschreiben.

Nach dem Absolvieren der Arbeitsaufgabe sind Sie mit einer **Steuererklärung** konfrontiert. Sie benennen einen Betrag zwischen Null und der Höhe Ihres Bruttoeinkommens, der mit dem jeweils geltenden Steuersatz versteuert werden soll. Es besteht eine zufällige Chance von 10%, dass überprüft wird, ob Sie Ihr Bruttoeinkommen in voller Höhe angeben haben. Werden Sie *nicht* überprüft, dann besteht Ihre Auszahlung für diese Runde – das Nettoeinkommen – aus Ihrem Bruttoeinkommen abzüglich der Steuerzahlung. Sollten Sie überprüft werden *und* Sie haben Ihr Bruttoeinkommen nicht in voller Höhe angegeben, dann fällt eine Strafe an. Die Einzelheiten sind weiter unten beschrieben. Alle von Ihnen geleisteten Steuerzahlungen werden an das Deutsche Rote Kreuz gespendet.

➔ **Zusammengefasst** läuft jede der 11 Runden des Experiments wie folgt ab:

1. Information über geltenden Steuersatz
2. Absolvieren der Arbeitsaufgabe
3. Information über erwirtschaftetes Bruttoeinkommen
4. Steuererklärung
5. Überprüfung, ob die Steuererklärung überprüft wird
6. Berechnung des Nettoeinkommens dieser Runde

## **Die Arbeitsaufgabe**

Am Anfang einer jeden Runde erfahren Sie zunächst den für diese Runde geltenden Steuersatz. Danach erledigen Sie an dem vor Ihnen stehenden Bildschirm eine Arbeitsaufgabe mit Hilfe der Computermaus. In jeder Runde wird die Arbeitsaufgabe genau 120 Sekunden andauern. Während der Arbeitsaufgabe erscheint ein Bildschirm, auf dem 48 sogenannte Schieber zu sehen sind. Jeder Schieber ist zunächst bei der Position „0“ (Null) positioniert und kann von Ihnen verschoben werden. Sie können den Schieber auf jede ganze Zahl zwischen „0“ und „100“ verschieben, indem Sie den Schieber mit der Maus anklicken und die Maus bewegen. Rechts neben dem Schieber wird die aktuelle Position angezeigt. Sie können jeden Schieber so oft verschieben, wie Sie möchten. Sie erhalten für jeden Schieber, den Sie innerhalb der 120 Sekunden exakt an der Nummer „50“ positionieren 6 ECU. Oben in der Mitte können Sie während der 120 Sekunden immer ablesen, wie viele Schieber Sie aktuell bei „50“ positioniert haben.

## Die Steuererklärung

Im nächsten Schritt wird Ihnen am Bildschirm angezeigt, wie viel ECU Sie zuvor bei der Arbeitsaufgabe erwirtschaftet haben. Neben den ECU, die Sie auf Basis der erfolgreich auf „50“ positionierten Schieber erreicht haben, erhalten Sie zusätzlich einen Betrag von 5 ECU pro Runde. Die Summe aus den Einnahmen aus der Arbeitsaufgabe und diesem von der Arbeitsaufgabe unabhängig gewährten Betrag ist Ihr **Bruttoeinkommen**. Dieses wird Ihnen angezeigt. Ebenfalls wird Ihnen auf dem Computerbildschirm auch nochmal angezeigt, welcher Steuersatz in dieser jeweiligen Runde gilt.

Sie sind nun aufgefordert eine **Steuerklärungsentscheidung** zu treffen. Sie benennen einen Betrag, der mit dem jeweils in dieser Runde geltenden Steuersatz besteuert werden soll. Dieser von Ihnen genannte Betrag kann zwischen Null und der Höhe Ihres zuvor gesamten erreichten Bruttoeinkommens liegen.

## Berechnung des Nettoeinkommens

Nachdem Sie ihre Steuerklärungsentscheidung getroffen haben, warten Sie bitte bis einer der Experimentleiter an Ihren Platz kommt. Der Experimentleiter wird einen 10-seitigen Würfel mitbringen, der von Ihnen geworfen wird. Basierend auf dem Ergebnis des Würfelwurfs ergeben sich zwei mögliche Szenarien, von denen sich eins realisiert:

- a) Der Würfel zeigt eine **Zahl zwischen 2 und 10** (also eine Zahl aus 2,3,...,9, 10):

Sollte der Würfel eine der Zahlen zwischen 2 und 10 anzeigen, dann wird *nicht* überprüft, ob Sie in Ihrer Steuerklärungsentscheidung Ihr Bruttoeinkommen vollständig angezeigt haben. Ihre Auszahlung für diese Runde – das Nettoeinkommen – setzt sich in diesem Fall aus dem Bruttoeinkommen (Leistung während der Arbeitsaufgabe zuzüglich 5 ECU) abzüglich der Steuerzahlung zusammen. Dabei ist die Steuerzahlung der in der Steuerklärung angegebene Betrag multipliziert mit dem geltenden Steuersatz. Also:

$$\rightarrow \underline{\text{Nettoeinkommen}} = \text{Bruttoeinkommen} - (\text{gemeldeter Betrag} * \text{Steuersatz})$$

- b) Der Würfel zeigt **die Zahl 1**:

Sollte der Würfel die Zahl 1 anzeigen, dann wird überprüft, ob Sie in der Steuerklärung Ihr vollständiges Bruttoeinkommen angegeben haben. Abhängig von Ihrer vorher getroffenen Steuerklärungsentscheidung, gibt es in diesem Fall für Ihr Nettoeinkommen zwei Möglichkeiten:

- Ist der von Ihnen in der Steuererklärung angegebene Betrag *gleich* dem wahren Bruttoeinkommen, dann setzt sich Ihr Nettoeinkommen aus dem Bruttoeinkommen minus der wahren Steuerschuld zusammen. Also:

$$\rightarrow \underline{\text{Nettoeinkommen}} = \text{Bruttoeinkommen} - (\text{Bruttoeinkommen} * \text{Steuersatz})$$

- Ist der von Ihnen in der Steuererklärung angegebene Betrag *niedriger* als das wahre Bruttoeinkommen, dann müssen Sie die volle Steuerzahlung basierend auf Ihrem echten Bruttoeinkommen zahlen und außerdem fällt eine Strafe an. Diese Strafe errechnet sich durch die Differenz zwischen ihrem echten Bruttoeinkommen und dem von Ihnen angegebenen Betrag multipliziert mit dem geltenden Steuersatz. Also:

$$\rightarrow \underline{\text{Nettoeinkommen}} = \text{Bruttoeinkommen} - (\text{Bruttoeinkommen} * \text{Steuersatz}) - [(\text{Bruttoeinkommen} - \text{gemeldeter Betrag}) * \text{Steuersatz}]$$

Dem Experimentleiter, der mit dem Würfel an Ihren Platz kommt, ist es selbstverständlich nicht möglich, einzusehen, ob Sie Ihr Bruttoeinkommen in voller Höhe angegeben haben oder nicht.

### **Schlussbemerkungen**

Nach dem Ablauf aller 11 Runden – eine Übungsrunde plus 10 Auszahlungsrunden – ist das Experiment beendet. Einer der Experimentleiter wird an Ihren Platz kommen und sie werfen erneut einen 10-seitigen Würfel. Der Würfelwurf bestimmt nun, auf Basis welcher der 10 Auszahlungsrunden Sie bezahlt werden. Zeigt der Würfel beispielsweise „2“ an, dann besteht die in bar an Sie ausgegebene Auszahlung aus dem Nettoeinkommen, das Sie in der zweiten Auszahlungsrunde erzielt haben. Hinzu kommt die Pauschale von 2,50 Euro. Außerdem erscheint im Anschluss an das Experiment ein Fragebogen auf dem Bildschirm, den Sie bitte ausfüllen, während die Auszahlungen vorbereitet werden. Alle dort angegebenen Informationen, sowie alle während dieses Experiments erhobenen Daten, werden selbstverständlich anonymisiert und ausschließlich für wissenschaftliche Zwecke verwendet. Nachdem Sie den Fragebogen ausgefüllt haben, warten Sie bitte an Ihrem Platz bis Ihre Platznummer aufgerufen wird und Sie nach vorne kommen können, um sich Ihre Auszahlung abzuholen.

## **Instruktionen (Control Group)**

Herzlich willkommen und vielen Dank für Ihre Teilnahme an unserem Experiment. Bitte kommunizieren Sie ab sofort und bis zum Ende des Experimentes nicht mehr mit anderen Teilnehmern. Sollten Sie sich nicht an diese Regel halten, müssen wir Sie von dem Experiment ausschließen.

Wir bitten Sie, die Instruktionen sehr aufmerksam zu lesen. Wenn Sie nach dem Lesen oder während des Experimentes noch Fragen haben, heben Sie bitte Ihre Hand. Einer der Experimentleiter wird dann zu Ihnen kommen und Ihre Frage persönlich beantworten. Ihre Auszahlung und Ihre Entscheidungen werden vertraulich behandelt. Keiner der anderen Teilnehmer erfährt während oder nach dem Experiment, welche Entscheidungen Sie getroffen haben oder wie hoch Ihre Auszahlung war.

Sie können in diesem Experiment Geld verdienen. Wie viel Sie verdienen, hängt von Ihren Entscheidungen ab. Ihre Auszahlungen werden im Laufe des Experimentes in virtuellen Geldeinheiten, den Experimental Currency Units (ECU), gerechnet. **1 ECU entspricht 0,10 Euro.** Ihre Auszahlung wird nach dem Ende des Experimentes in Euro umgerechnet und in bar an Sie ausgezahlt. Zusätzlich erhalten Sie für Ihr Erscheinen eine Zahlung in Höhe von 2,50 Euro.

## **Das Experiment**

### **Übersicht**

Das Experiment besteht aus 11 Runden. In jeder Runde werden Sie eine Arbeitsaufgabe erledigen und dafür abhängig von Ihrer Leistung Geldeinheiten erhalten. Die von Ihnen verdienten Geldeinheiten aus der Arbeitsaufgabe sind zu versteuern.

### **Auszahlung**

Die erste der 11 Runden gilt als Übungsrunde, in der Sie kein Geld verdienen können. In den 10 darauffolgenden Auszahlungsrunden können Sie Geld verdienen. Alle Runden sind völlig unabhängig voneinander, außerdem hängt Ihre Auszahlung in keiner Weise von den Entscheidungen oder Leistungen anderer Experimentteilnehmer ab. Die Auszahlung, die am Ende an Sie geleistet wird, besteht nicht aus der Summe Ihrer Nettoeinnahmen aus allen 10 Auszahlungsrunden, sondern es wird im Anschluss an das Experiment zufällig eine Runde ausgewählt, die Ihre Bezahlung bestimmt. Praktisch heißt das, dass Sie nach dem Ende aller Runden einen 10-seitigen Würfel werfen werden. Die Zahl, die der Würfel anzeigt, bestimmt die Runde, auf deren Basis Sie bezahlt werden.

### **Ablauf einer Runde**

In jeder Runde wird Ihnen zunächst der in dieser Runde geltende Steuersatz angezeigt. Dieser Steuersatz kann, muss aber nicht, von Runde zu Runde variieren. Im nächsten Schritt absolvieren Sie am Computerbildschirm eine **Arbeitsaufgabe**. Nach dem Absolvieren dieser Arbeitsaufgabe werden Ihnen Ihr Bruttoeinkommen, der geltende Steuersatz und das daraus berechnete Nettoeinkommen dieser Runde angezeigt. Ihr Bruttoeinkommen basiert auf Ihrer Leistung in der Arbeitsaufgabe zuzüglich eines fixen Betrags von 5 ECU. In jeder Runde gilt für alle Teilnehmer derselbe Steuersatz. Alle von Ihnen geleisteten Steuerzahlungen werden an das Deutsche Rote Kreuz gespendet. Einzelheiten zu der Arbeitsaufgabe und der Berechnung des Nettoeinkommens sind weiter unten beschrieben.

➔ **Zusammengefasst** läuft jede der 11 Runden des Experiments wie folgt ab:

1. Information über geltenden Steuersatz
2. Absolvieren der Arbeitsaufgabe
3. Information über erwirtschaftetes Bruttoeinkommen
4. Berechnung des entsprechenden Nettoeinkommens für diese Runde

### **Die Arbeitsaufgabe**

Am Anfang einer jeden Runde erfahren Sie zunächst den für diese Runde geltenden Steuersatz. Danach erledigen Sie an dem vor Ihnen stehenden Bildschirm eine Arbeitsaufgabe mit Hilfe der Computermaus. In jeder Runde wird die Arbeitsaufgabe genau 120 Sekunden andauern. Während der Arbeitsaufgabe erscheint ein Bildschirm, auf dem 48 sogenannte Schieber zu sehen sind. Jeder Schieber ist zunächst bei der Position „0“ (Null) positioniert und kann von Ihnen verschoben werden. Sie können den Schieber auf jede ganze Zahl zwischen „0“ und „100“ verschieben, indem Sie den Schieber mit der Maus anklicken und die Maus bewegen. Rechts neben dem Schieber wird die aktuelle Position angezeigt. Sie können jeden Schieber so oft verschieben, wie Sie möchten. Sie erhalten für jeden Schieber, den Sie innerhalb der 120 Sekunden exakt an der Nummer „50“ positionieren 6 ECU. Oben in der Mitte können Sie während der 120 Sekunden immer ablesen, wie viele Schieber Sie aktuell bei „50“ positioniert haben.

### **Berechnung des Nettoeinkommens**

Nachdem Sie die Arbeitsaufgabe erledigt haben, wird Ihnen Ihr Bruttoeinkommen der jeweiligen Runde angezeigt. Dieses errechnet sich aus der Anzahl der korrekt auf „50“ verschobenen Schieber zuzüglich eines fixen Betrags von 5 ECU. Dieses Bruttoeinkommen muss mit dem in dieser Runde geltenden Steuersatz versteuert werden. Ihr Nettoeinkommen für diese Runde setzt sich also aus dem Bruttoeinkommen abzüglich einer Steuerzahlung zusammen. Dabei ist die Steuerzahlung das Bruttoeinkommen multipliziert mit dem geltenden Steuersatz. Also:

➔ Nettoeinkommen = Bruttoeinkommen – (Bruttoeinkommen\*Steuersatz)

## **Schlussbemerkungen**

Nach dem Ablauf aller 11 Runden – eine Übungsrunde plus 10 Auszahlungsrunden – ist das Experiment beendet. Einer der Experimentleiter wird an Ihren Platz kommen und sie werfen einen 10-seitigen Würfel. Der Würfelwurf bestimmt nun, auf Basis welcher der 10 Auszahlungsrunden Sie bezahlt werden. Zeigt der Würfel beispielsweise „2“ an, dann besteht die in bar an Sie ausgegebene Auszahlung aus dem Nettoeinkommen, das Sie in der zweiten Auszahlungsrunde erzielt haben. Hinzu kommt die Pauschale von 2,50 Euro. Außerdem erscheint im Anschluss an das Experiment ein Fragebogen auf dem Bildschirm, den Sie bitte ausfüllen, während die Auszahlungen vorbereitet werden. Alle dort angegebenen Informationen, sowie alle während dieses Experiments erhobenen Daten, werden selbstverständlich anonymisiert und ausschließlich für wissenschaftliche Zwecke verwendet. Nachdem Sie den Fragebogen ausgefüllt haben, warten Sie bitte an Ihrem Platz bis Ihre Platznummer aufgerufen wird und Sie nach vorne kommen können, um sich Ihre Auszahlung abzuholen.

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